

# Induced seismicity and fault reactivation as a THMC problem

by

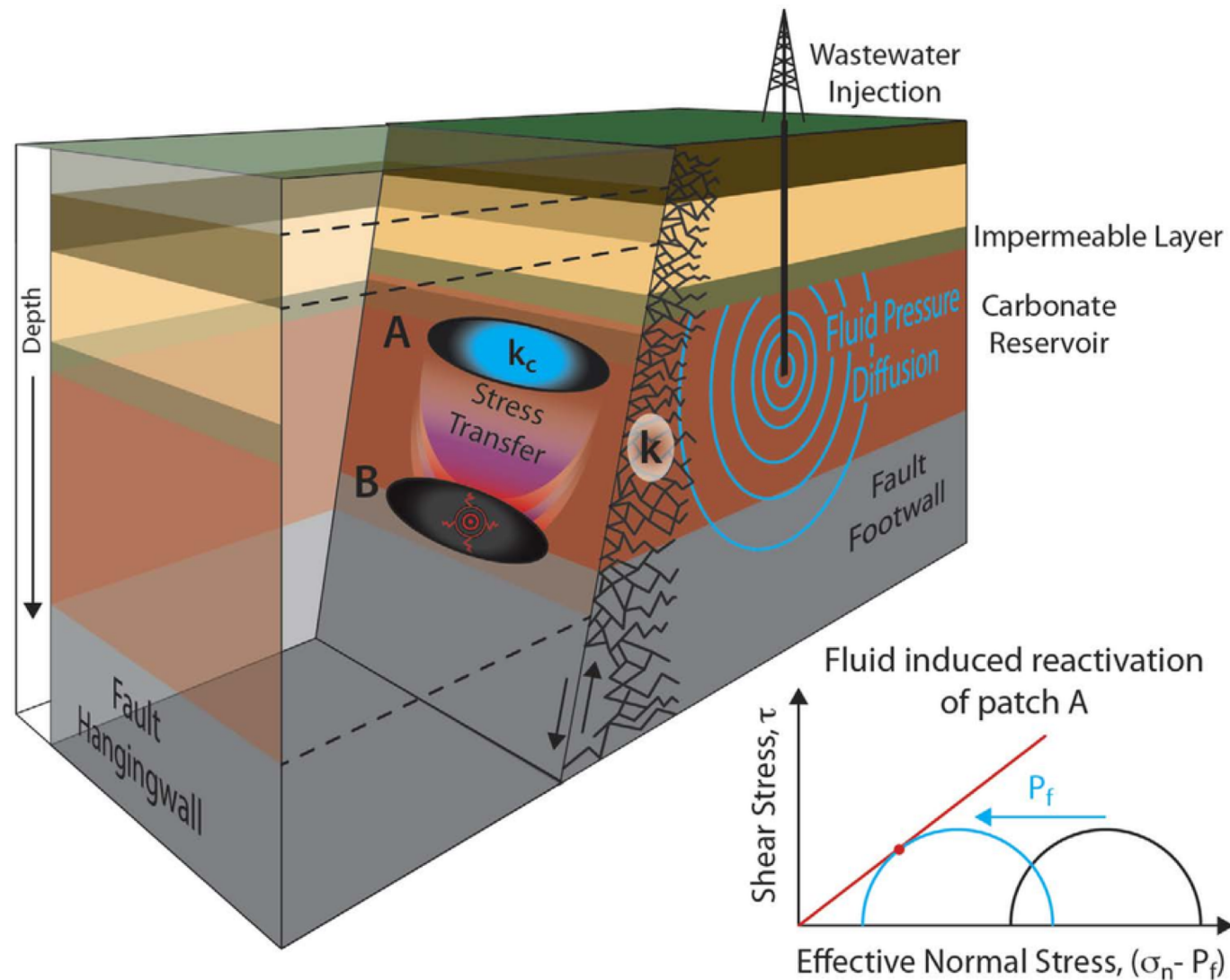
Manolis Veveakis

Multiphysics Geomechanics group, Duke University



**MUG**

# Fault Reactivation in a nutshell

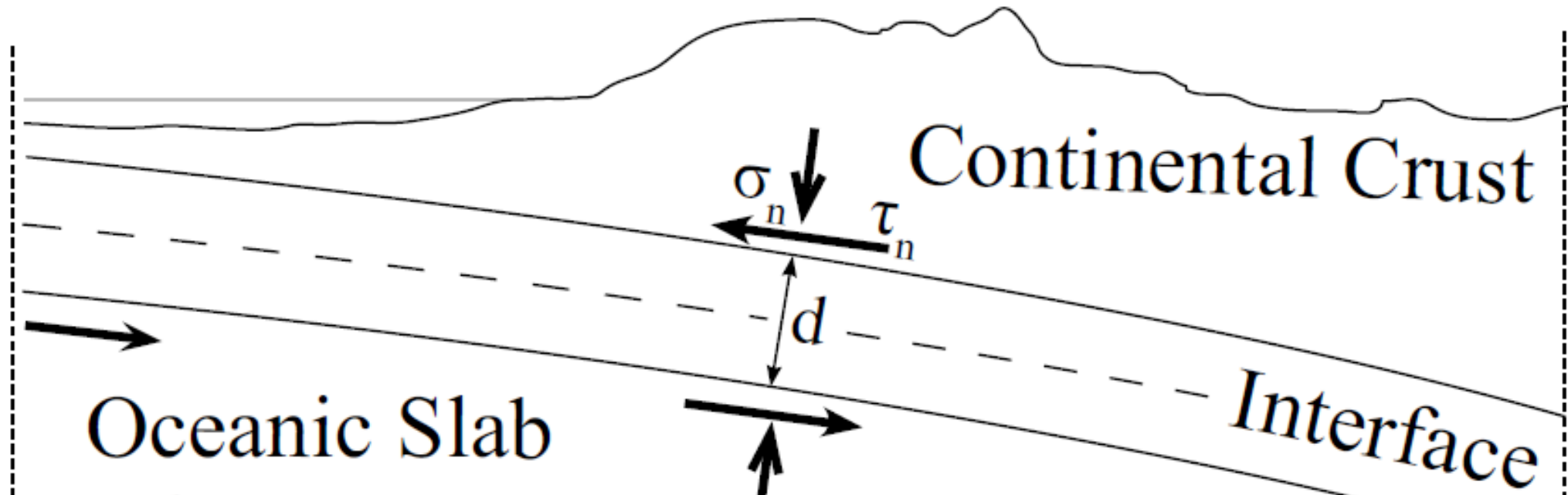


Scuderi and Collettini 2016



# Mechanics of Faults

## The theoretical approach





## Nonvolcanic Deep Tremor Associated with Subduction in Southwest Japan

Kazushige Obara

*Science* **296**, 1679 (2002);

DOI: 10.1126/science.1070378

### REPORTS

# Nonvolcanic Deep Tremor Associated with Subduction in Southwest Japan

Kazushige Obara

Deep long-period tremors were recognized and located in a nonvolcanic region in southwest Japan. Epicenters of the tremors were distributed along the strike of the subducting Philippine Sea plate over a length of 600 kilometers. The depth of the tremors averaged about 30 kilometers, near the Mohorovic discontinuity.

Each tremor lasted for at most a few weeks. The location of the tremors within the subduction zone indicates that the tremors may have been caused by fluid generated by dehydration processes from the slab.

Depth

Duration

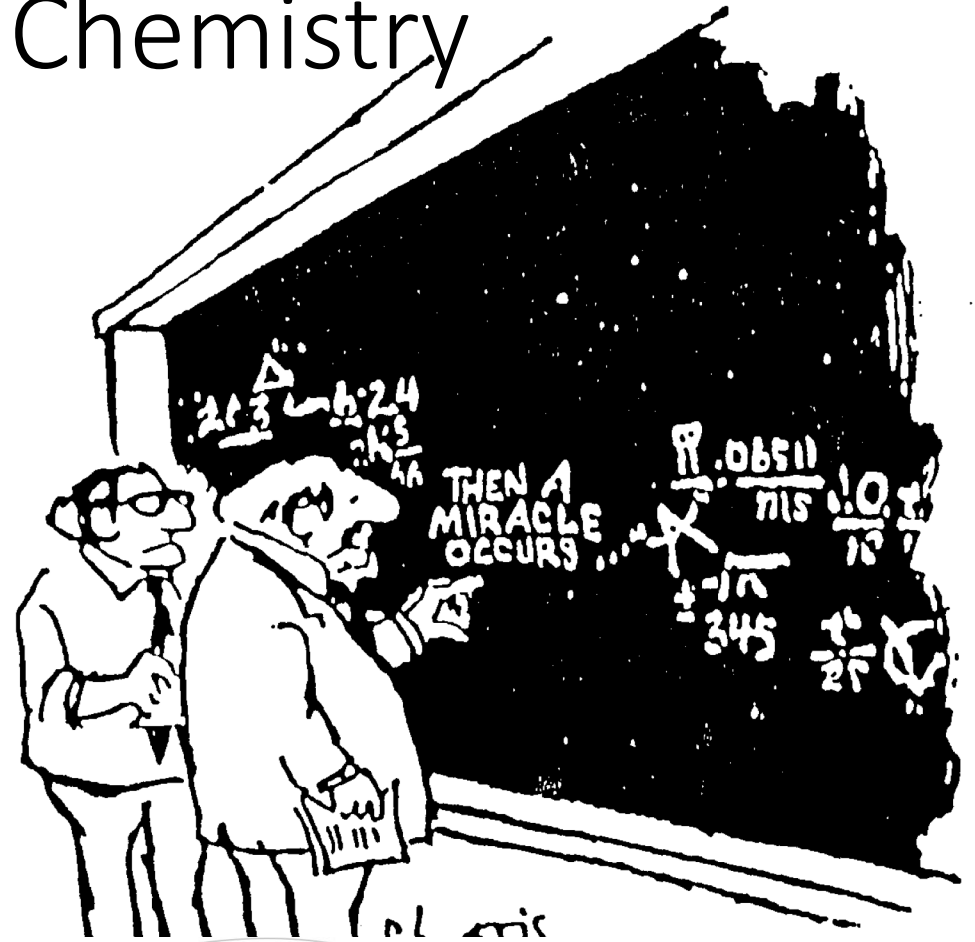
Origin

# Modelling Physics + Chemistry of active faults

## -Multiple Steady States

## Part 2. Transient Solutions

## Part 3. Transition to Chaos



**JGR**

# Journal of Geophysical Research: Solid Earth

## RESEARCH ARTICLE

10.1002/2014JB011004

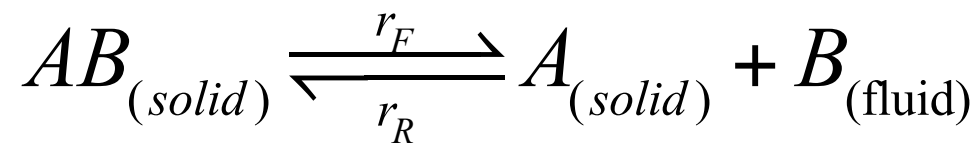
This is a companion paper to *Alevizos et al.* [2014], doi:10.1002/2013JB010070, and *Veveakis et al.* [2014].

### Thermo-poro-mechanics of chemically active creeping faults: 3. The role of serpentinite in episodic tremor and slip sequences, and transition to chaos

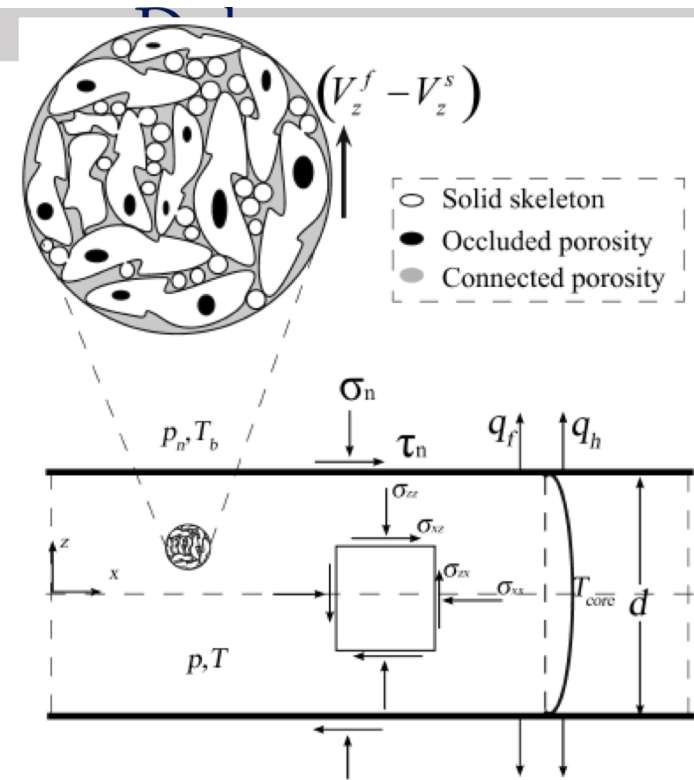
**T. Poulet<sup>1</sup>, E. Veveakis<sup>1,2</sup>, K. Regenauer-Lieb<sup>1,3</sup>, and D. A. Yuen<sup>4,5</sup>**

## Towards a unified THMC approach

- Fluid-saturated rock
  - Coaxial Elasto-visco-plasticity, deviatoric and volumetric components
  - Mechanical (Shear) heating
  - Endothermic fluid release reaction producing excess pore pressure
- 
- Porosity and permeability linked with Kozeny-Carman law



$$k_{\pi} = k_{\pi 0} \frac{(1 - \phi_0)^2}{\phi_0^3} \frac{\phi^3}{(1 - \phi)^2}$$



$$\phi = \phi_0 + \Delta\phi_{mech} + \Delta\phi_{chem}$$

$$\Delta\phi_{\text{chem}} = A_{\phi} \frac{1 - \phi_0}{1 + \frac{\rho_B}{\rho_A} \frac{M_A}{M_B} \frac{1}{s}},$$

$$s = \frac{\omega_{\text{rel}}}{1 + \omega_{\text{rel}}}, \text{ and}$$

$$\omega_{\text{rel}} = \frac{\rho_{AB}}{\rho_A} \frac{M_A}{M_{AB}} K_c \exp\left(\frac{\Delta H}{RT}\right)$$

# The mathematical system

- Normalised and reduced system of equations

$$\begin{aligned} \tau &= \tau_d(t) , \quad \sigma' = \sigma'_n(t) \\ \frac{\partial \Delta P}{\partial t} &= \frac{\partial}{\partial z} \left[ \frac{1}{Le} \frac{\partial \Delta P}{\partial z} \right] + \frac{\Lambda}{m \sigma'_n} \frac{\partial T}{\partial t} + (1-\phi)(1-s) \mu_r e^{\frac{Ar \delta T}{1+\delta T}} \\ \frac{\partial T}{\partial t} &= \frac{\partial^2 T}{\partial z^2} + \left[ Gr e^{-\frac{\Delta P V_{act}}{1+\delta T}} e^{\frac{aAr}{1+\delta T}} - (1-\phi)(1-s) \right] e^{\frac{Ar \delta T}{1+\delta T}} \end{aligned}$$

- Dimensionless Groups:

Lewis number

$$Le = \frac{\kappa_m \mu_f}{k_\pi \sigma'_n}, \quad \mu_r = \frac{(d/2)^2}{\kappa_m \sigma'_n} \frac{k_0}{\beta_f} e^{-Ar}, \quad Ar = \frac{E}{RT_c}$$

$$\delta = \frac{1}{m T_c}, \quad m = \frac{jk_m}{|\Delta H| (d/2)^2} \frac{e^{Ar}}{k_0 \rho_{AB}}, \quad Gr = \frac{\beta_T \tau_d \dot{\gamma}_0}{|\Delta H| k_0 \rho_{AB}}$$

Gruntfest number

# The mathematical system

- Normalised and reduced system of equations

$$\tau = \tau_d(t) , \quad \sigma' = \sigma'_n(t)$$

$$\frac{\partial \Delta P}{\partial t} = \frac{\partial}{\partial z} \left[ \frac{1}{Le} \frac{\partial \Delta P}{\partial z} \right] + \frac{\Lambda}{m \sigma'_n} \frac{\partial T}{\partial t} + (1 - \phi)(1 - s) \mu_r e^{\frac{Ar \delta T}{1 + \delta T}}$$

$$\frac{\partial T}{\partial t} = \frac{\partial^2 T}{\partial z^2} + \left[ Gr e^{-\frac{\Delta P V_{act}}{1 + \delta T}} e^{\frac{a Ar}{1 + \delta T}} - (1 - \phi)(1 - s) \right] e^{\frac{Ar \delta T}{1 + \delta T}}$$

- Dimensionless Groups:

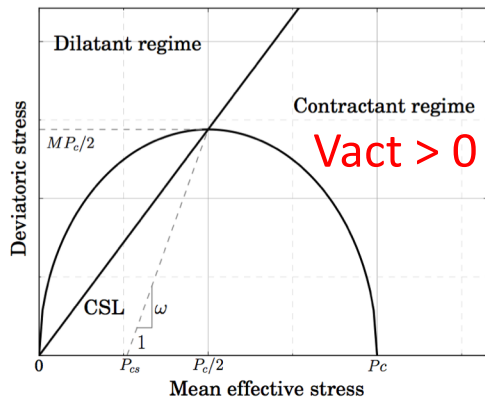
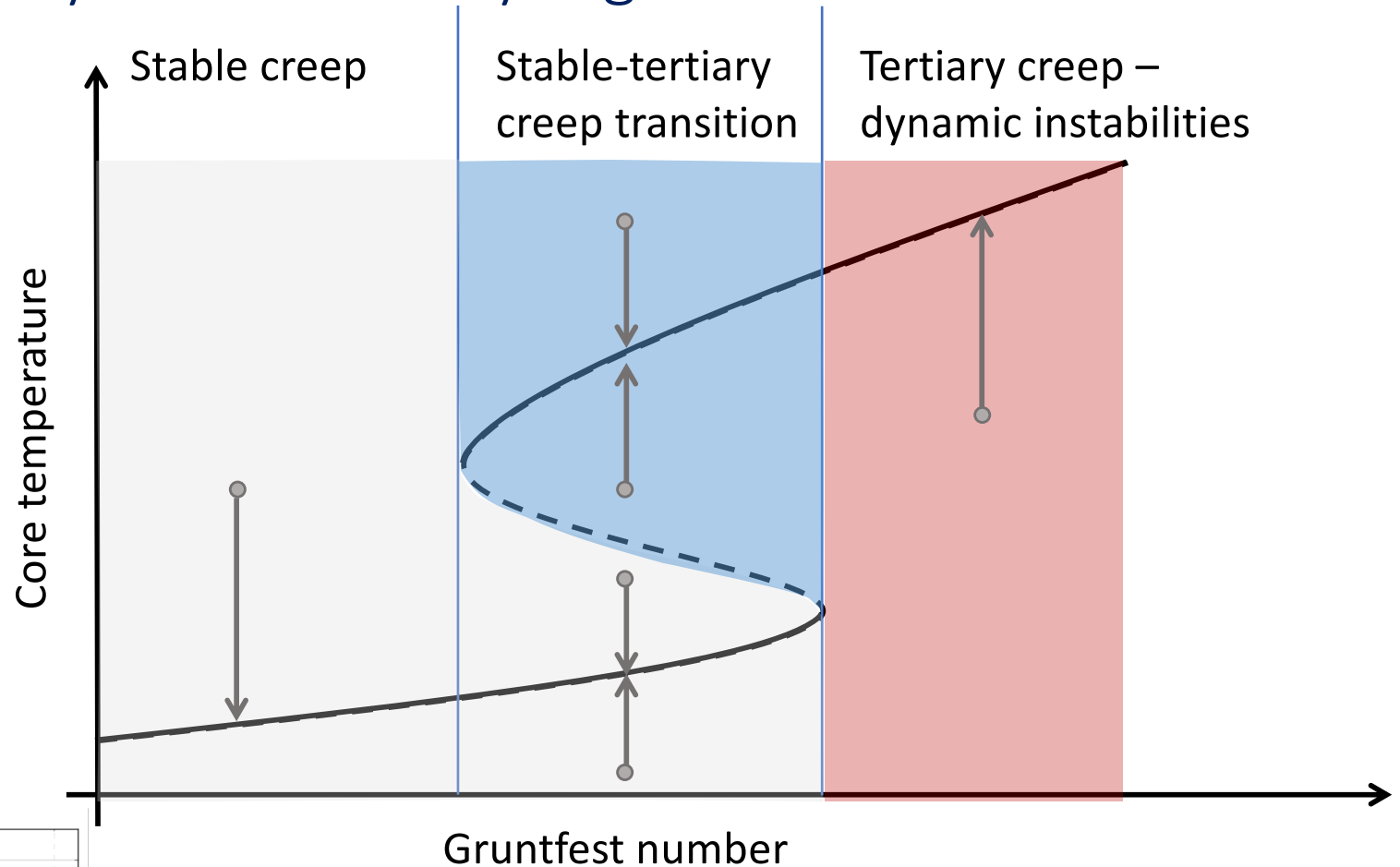
Lewis number

$$Le = \frac{\text{heat diffusion}}{\text{mass diffusion}}$$

$$Gr = \frac{\text{char. time scale heat production}}{\text{char. time scale energy transfer}}$$

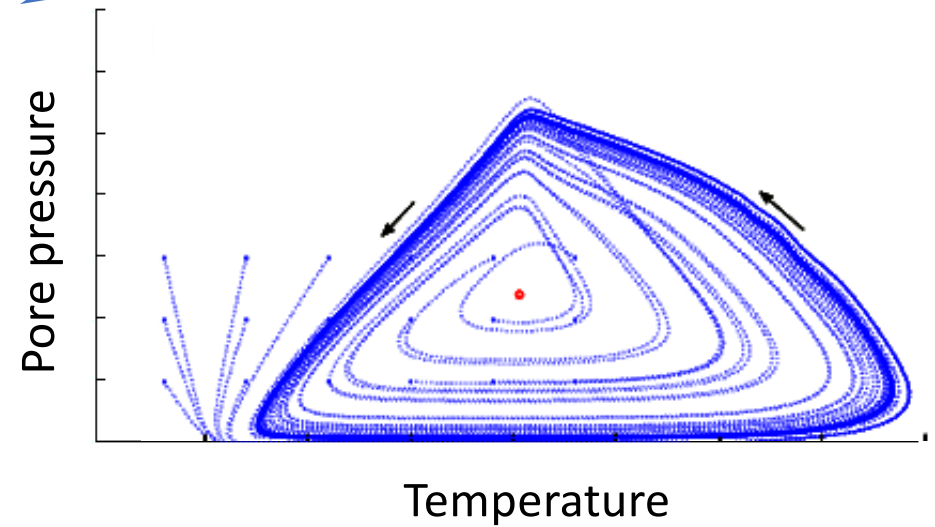
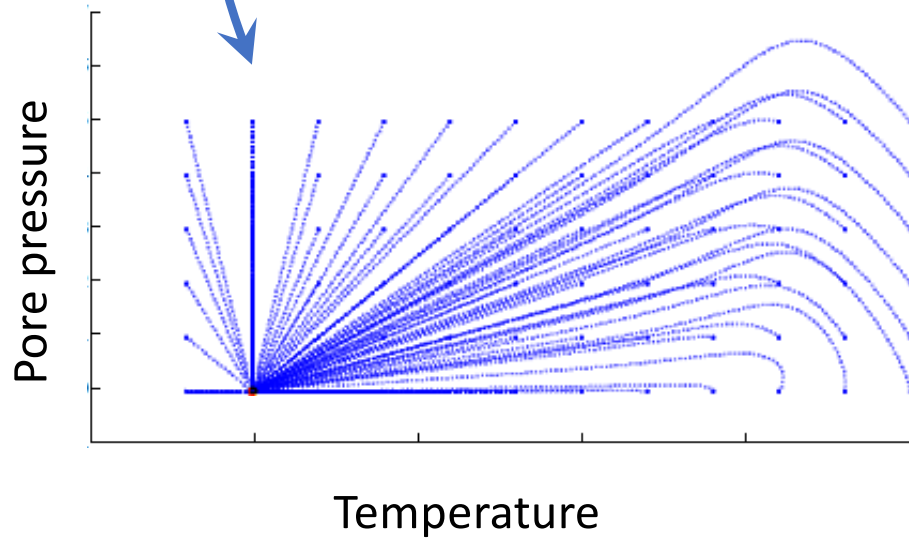
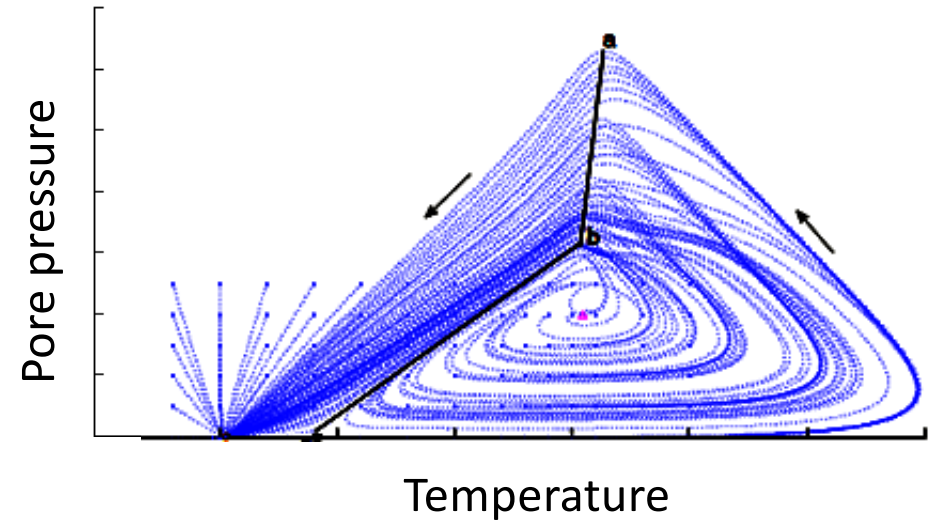
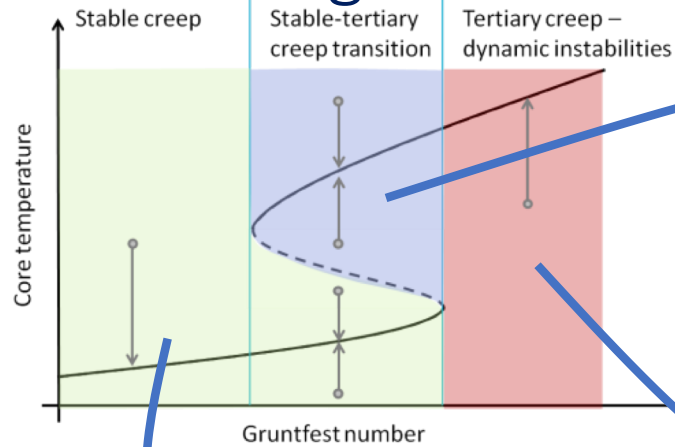
Gruntfest number

# $V_{act} > 0$ : System's stability regimes w.r.t $Gr$

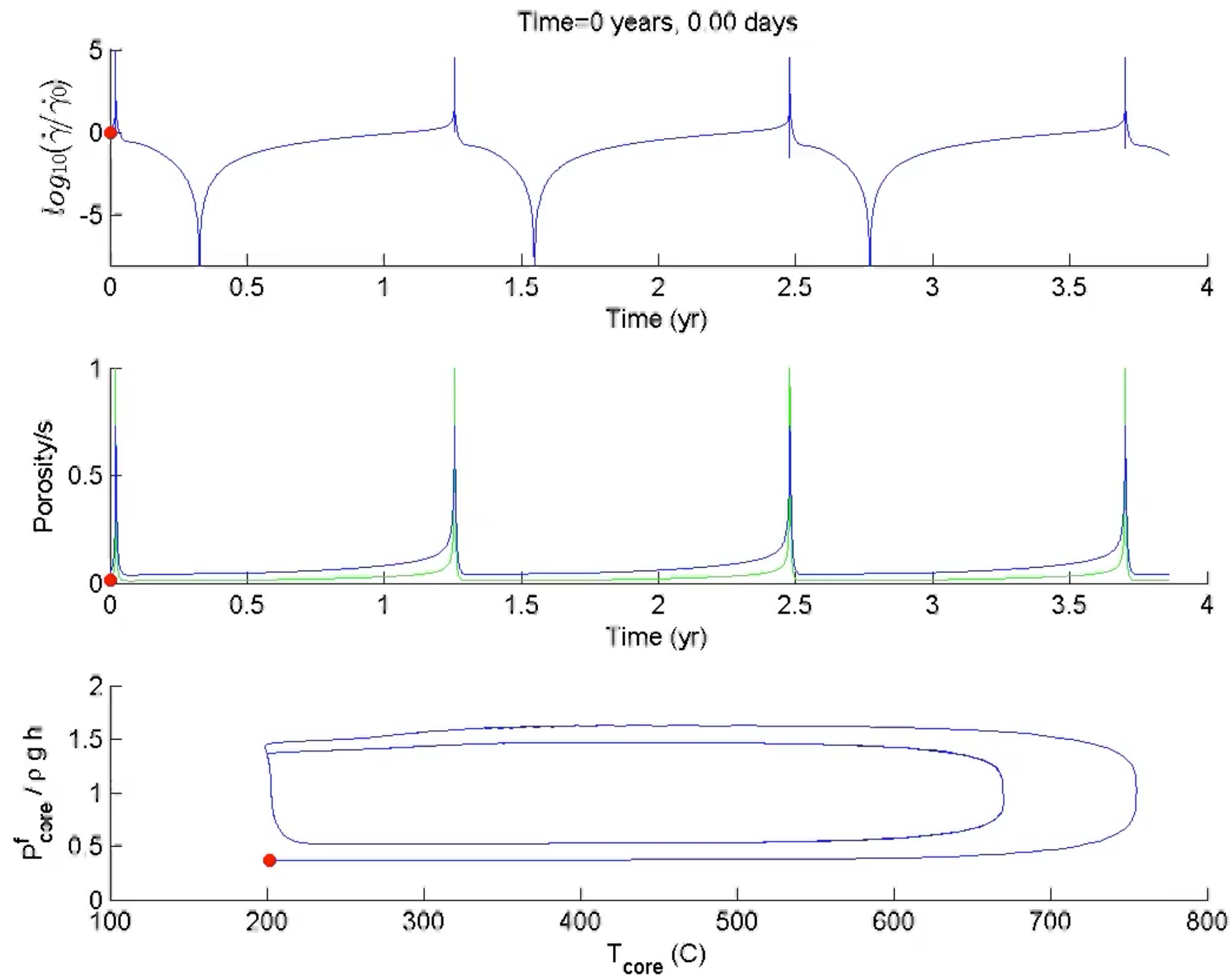


$$Gr = \frac{\text{char. time scale heat production}}{\text{char. time scale energy transfer}}$$

# Phase diagrams



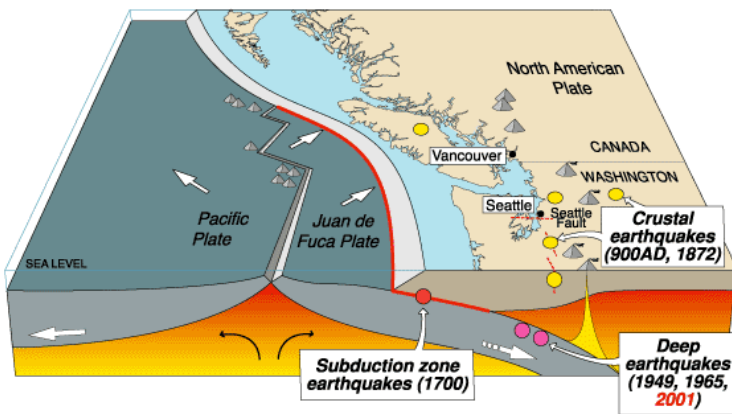




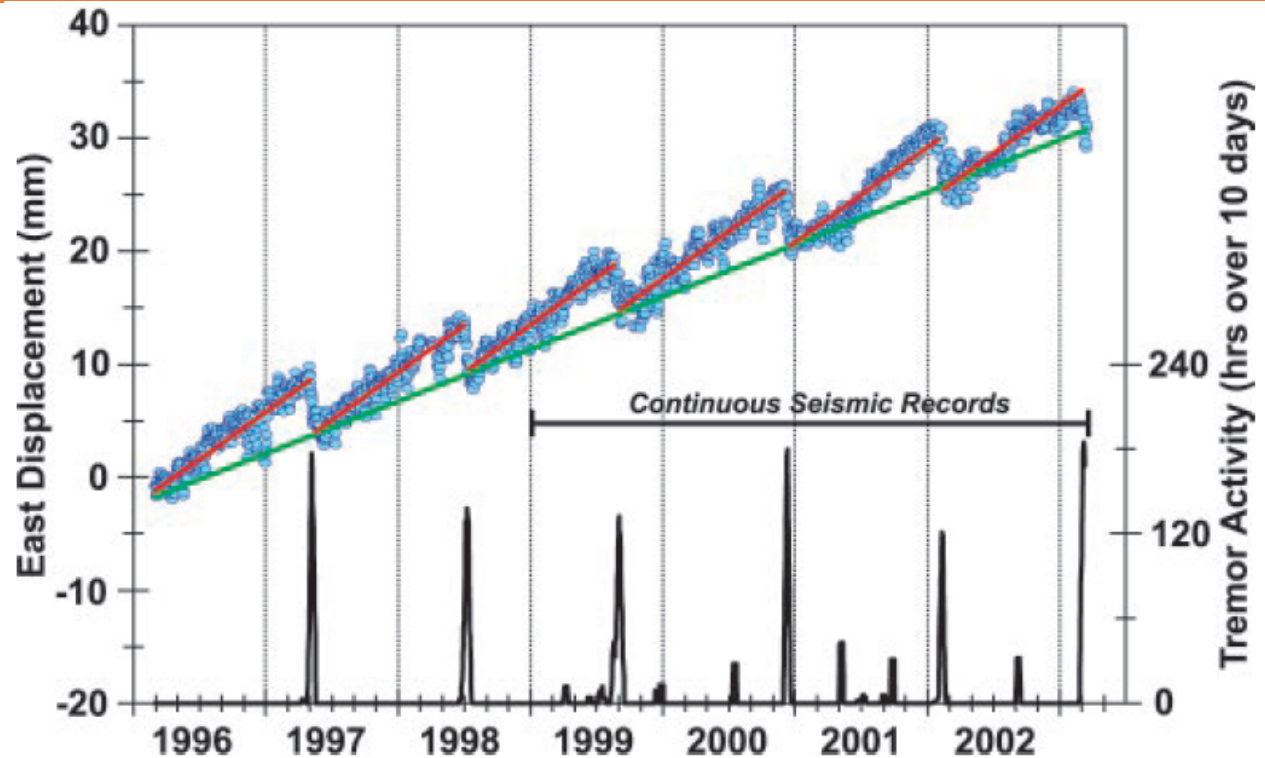
# Subduction zones

## Large scale modelling

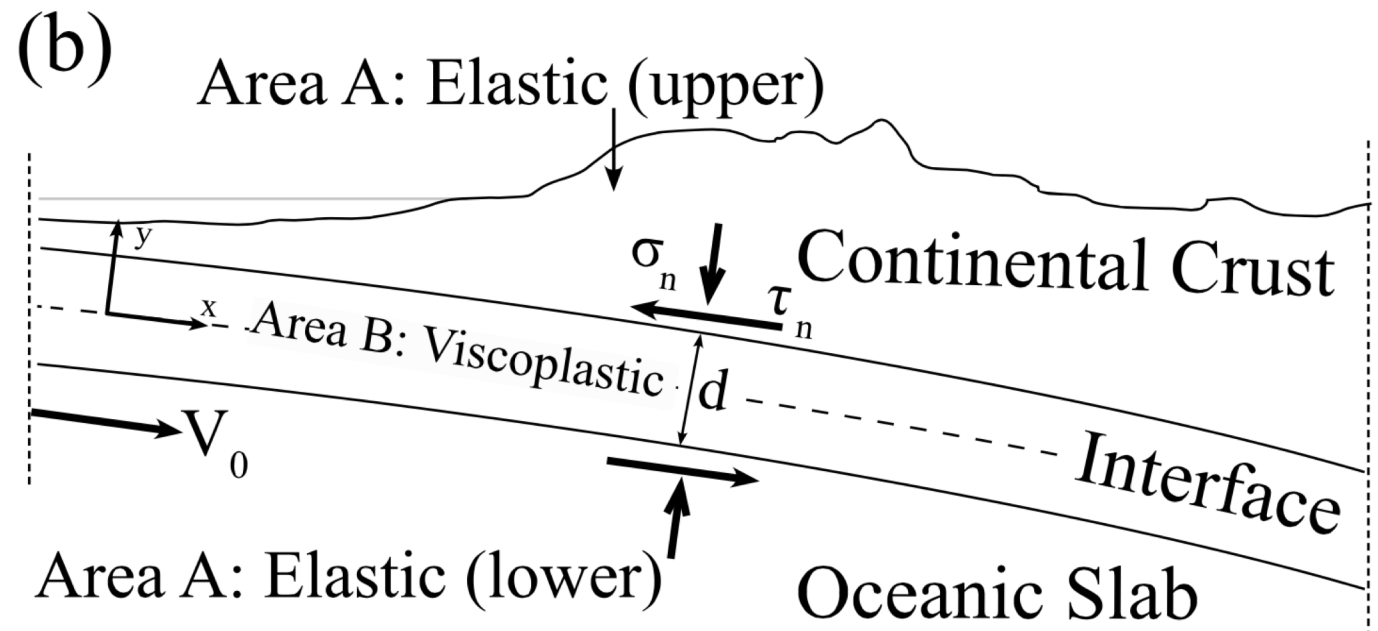
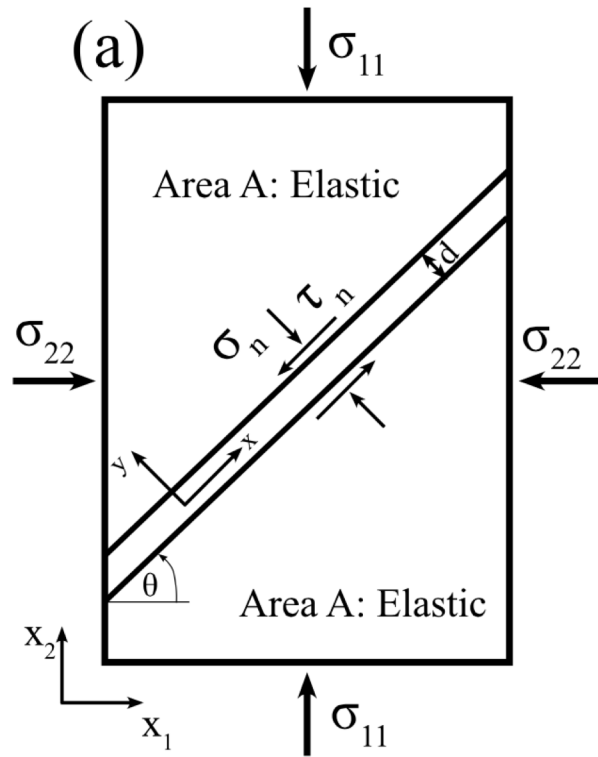
Cascadia earthquake sources



Source	Affected area	Max. Size	Recurrence
● Subduction Zone	W.WA, OR, CA	M 9	500-600 yr
● Deep Juan de Fuca plate	W.WA, OR,	M 7+	30-50 yr
● Crustal faults	WA, OR, CA	M 7+	Hundreds of yr?



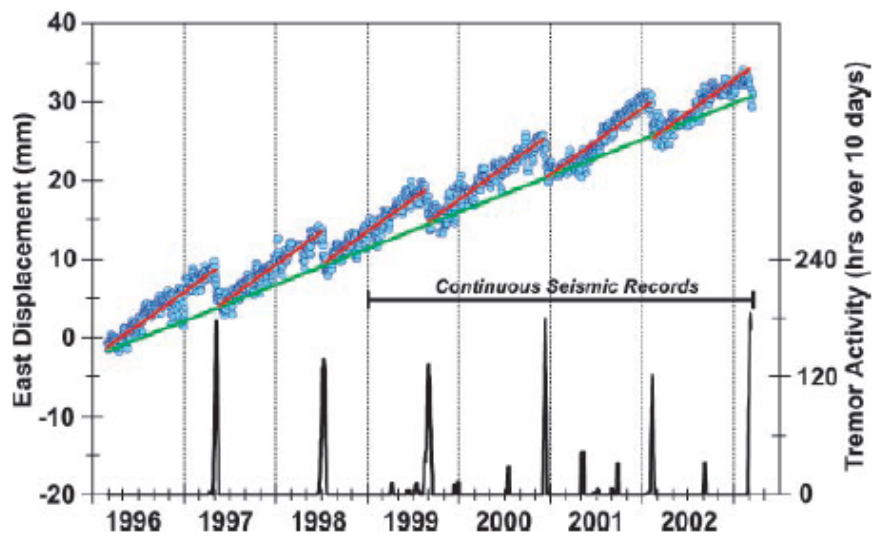
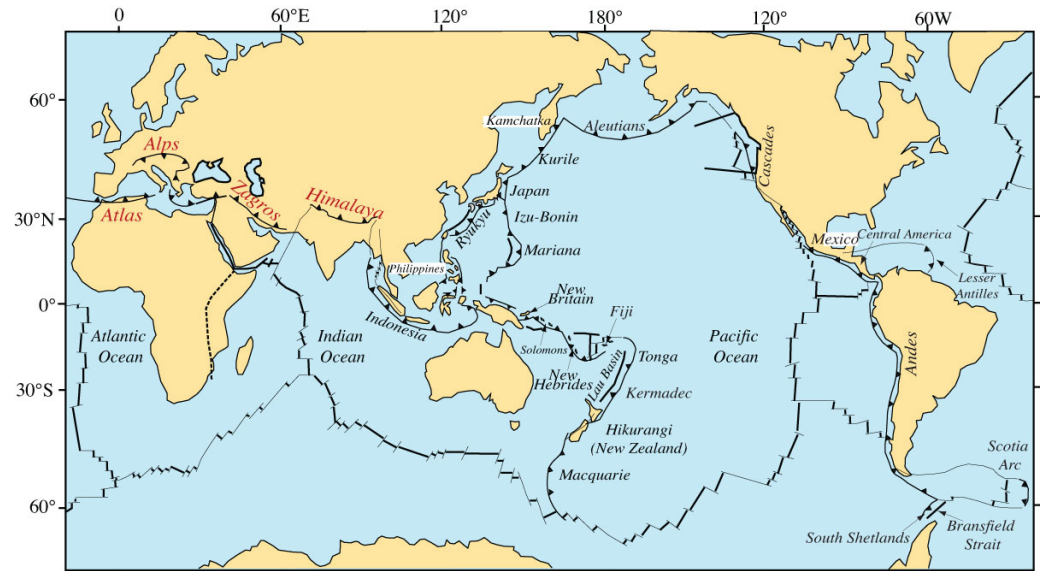
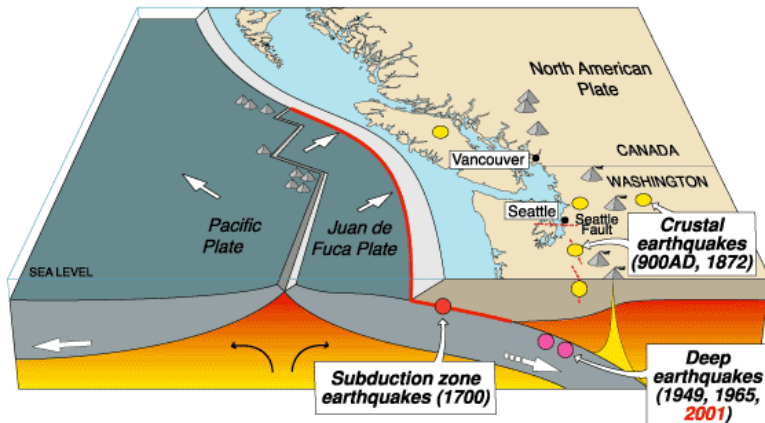
# Modelling Subduction zones: Serpentine dehydration oscillator



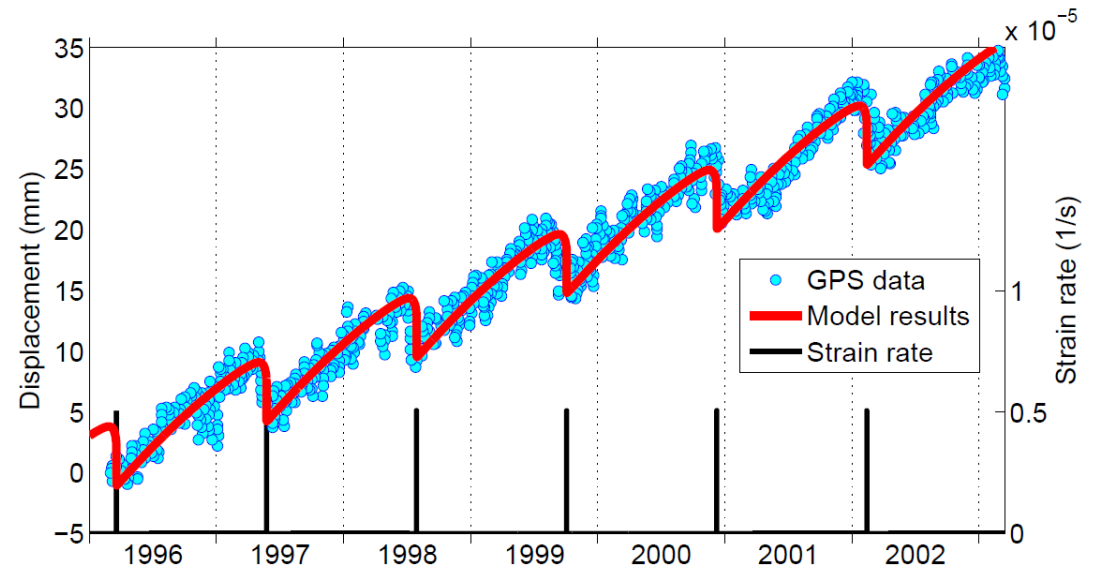
The problem: we require stress continuity at the shear band interface, because of the definition of the shear band as zone of velocity gradient discontinuities. So which BCs do we use?

# Modelling subduction zones

**Cascadia earthquake sources**

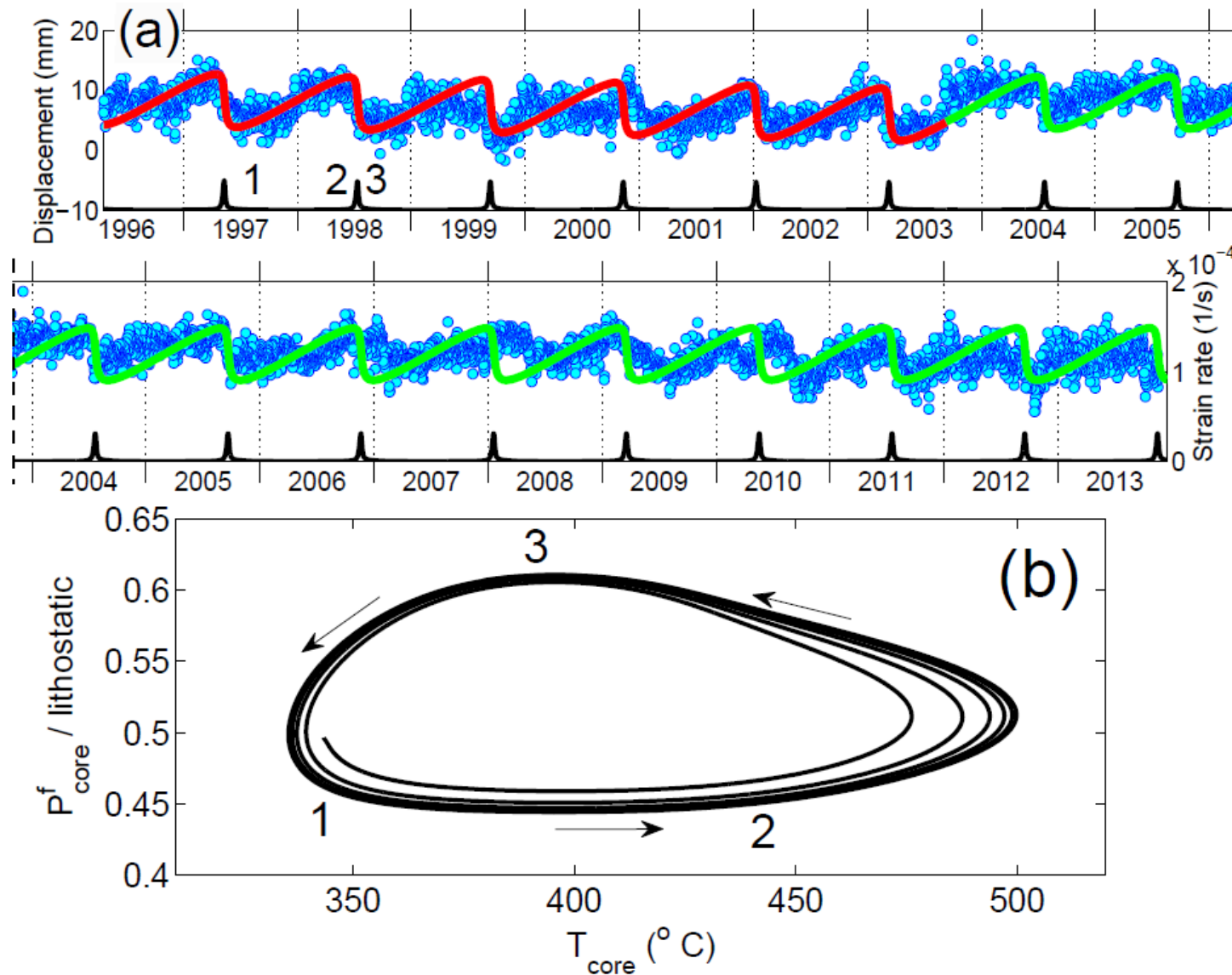


Rogers & Dragert, Science (2003)

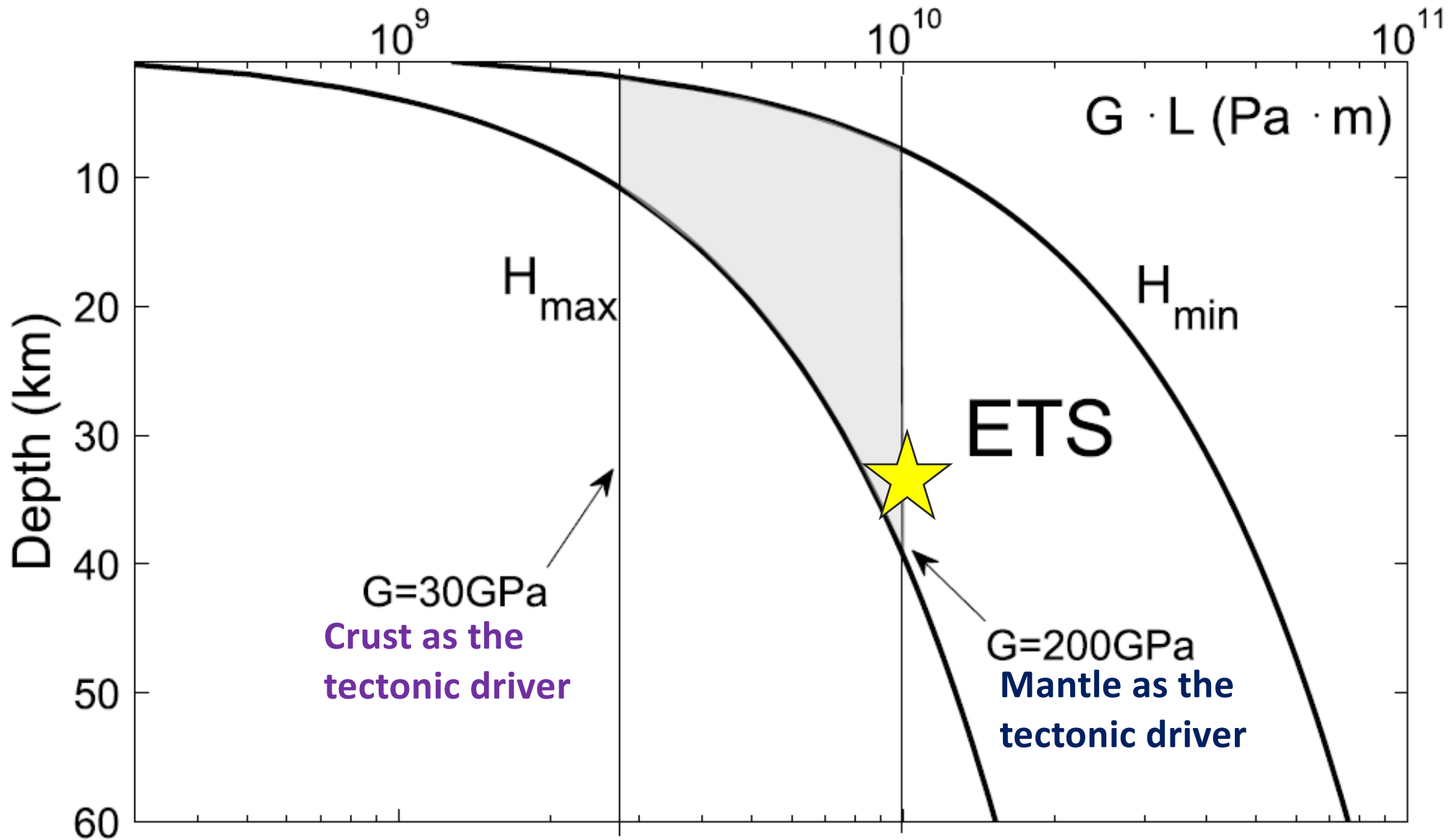


Alevizos et al, JGR (2014)

# Oscillator cycles, Earth's heartbeat

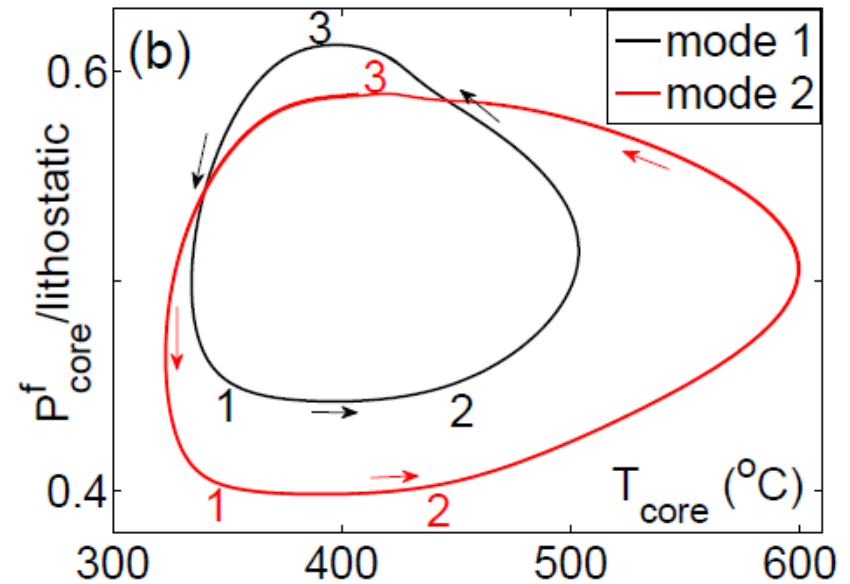
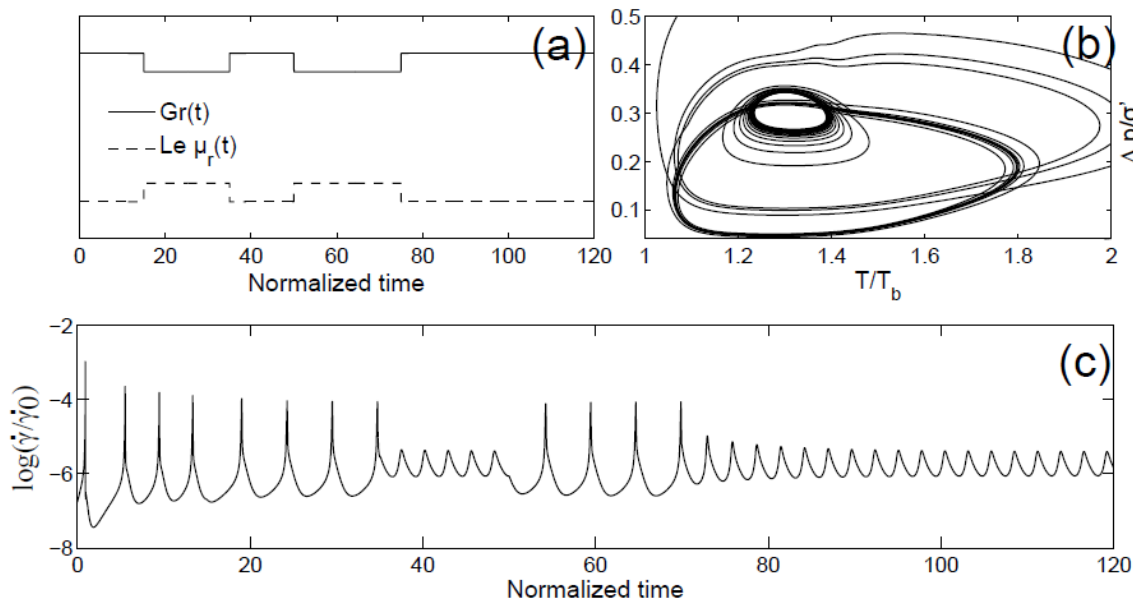
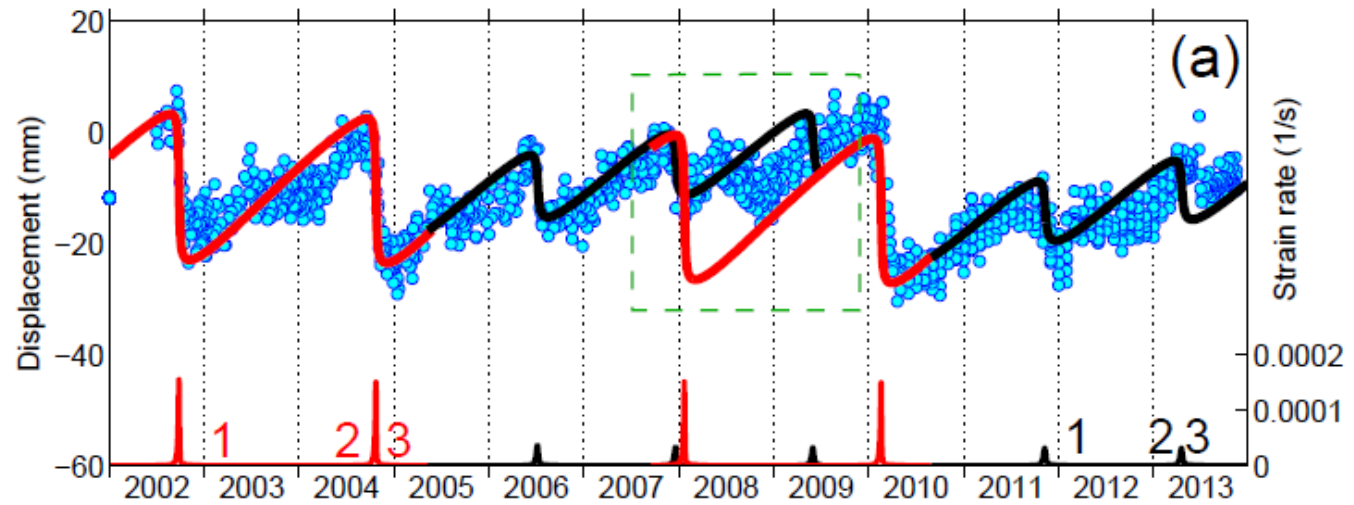


# ETS location and tectonic driver: Cascadia

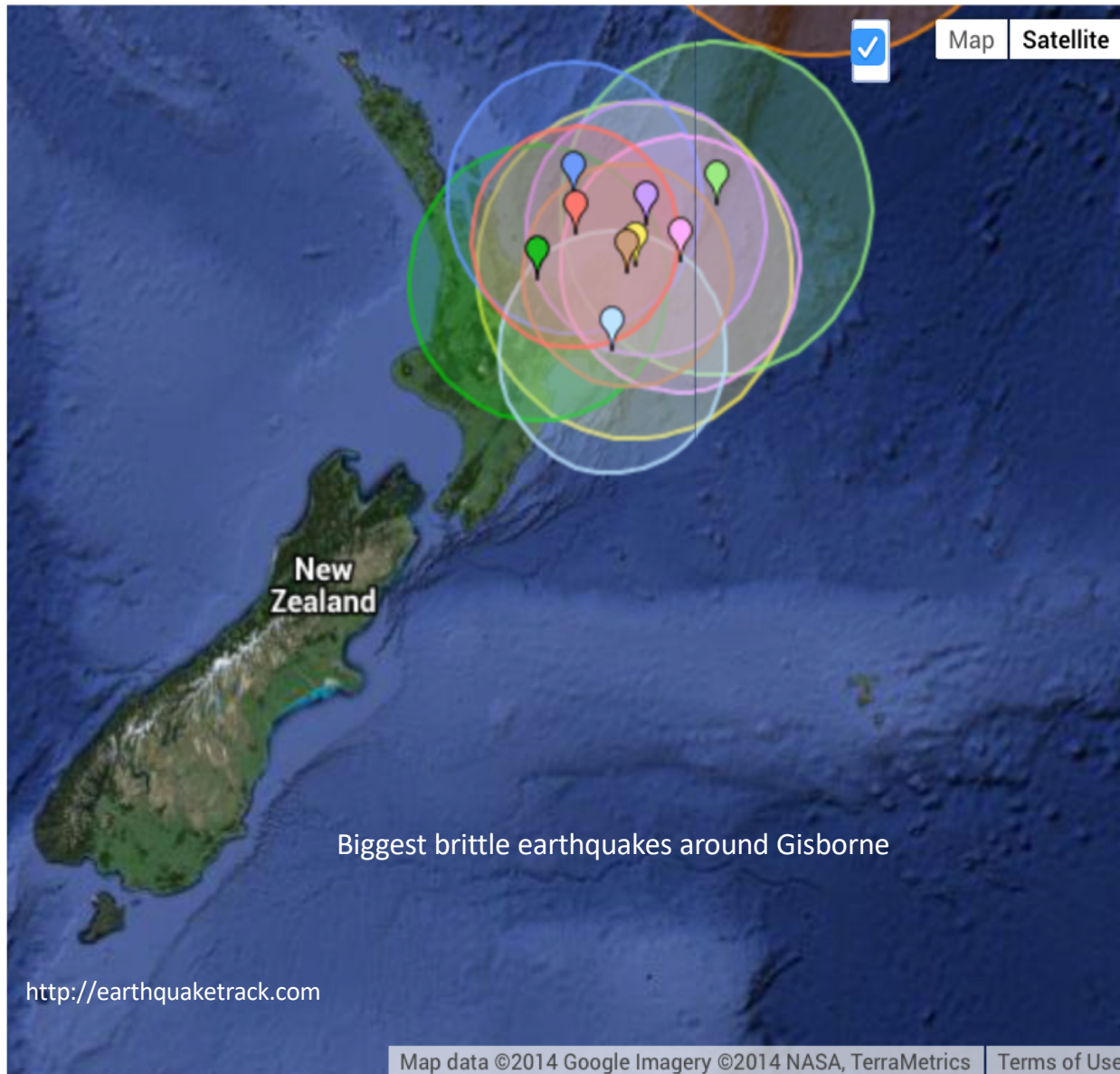




# Chaotic signals – Gisborne (New Zealand)

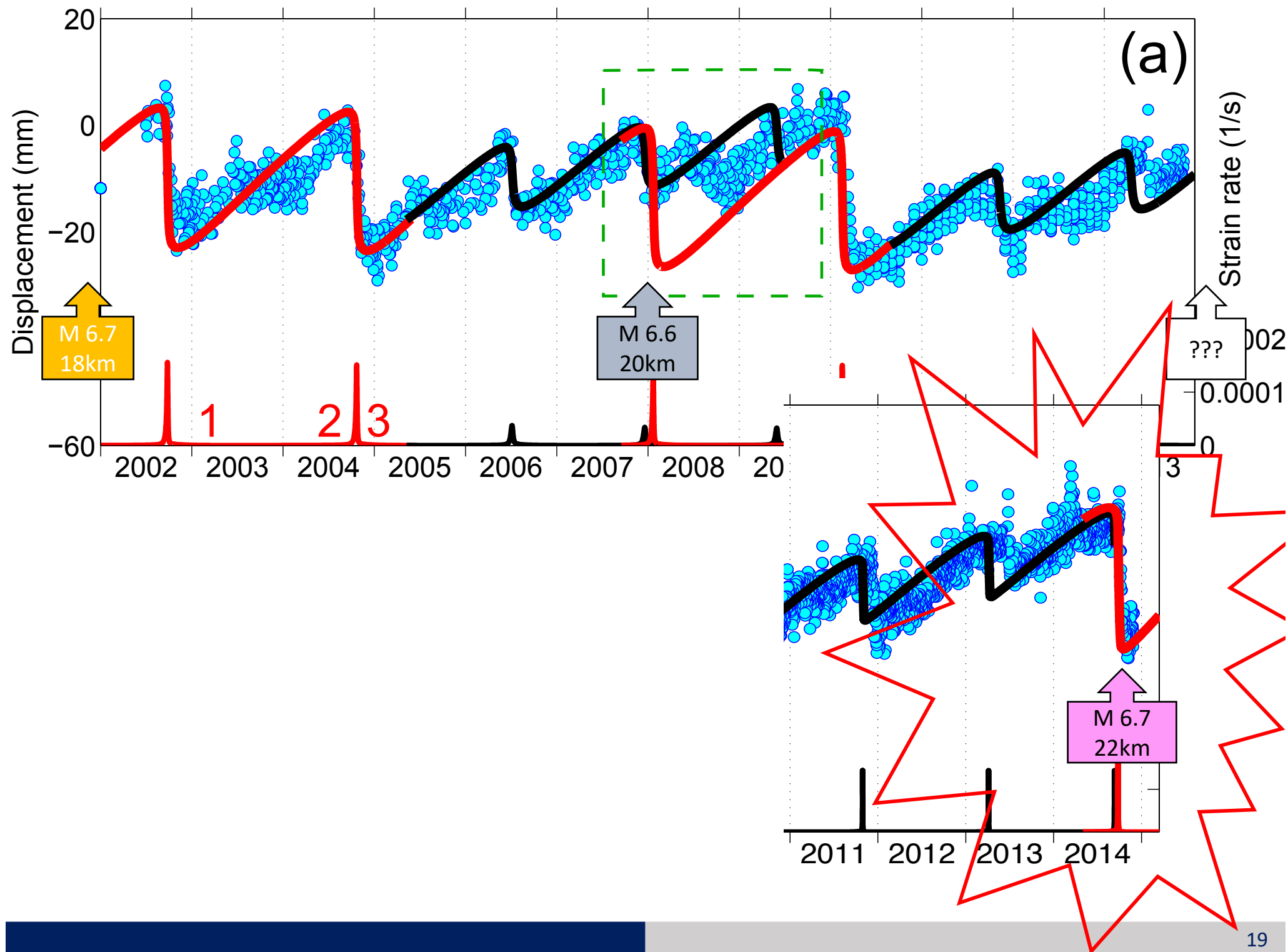


# Can we predict brittle earthquakes? (NO, but still...)



- 37 years ago 7.7 magnitude, 33 km depth**  
Whangarei, Auckland, New Zealand
- 20 years ago 7.1 magnitude, 21 km depth**  
Gisborne, Gisborne, New Zealand
- 13 years ago 7.1 magnitude, 33 km depth**  
Gisborne, Gisborne, New Zealand
- 28 years ago 6.8 magnitude, 19 km depth**  
Whakatane, Auckland, New Zealand
- 30 years ago 6.8 magnitude, 39 km depth**  
Whakatane, Auckland, New Zealand
- 13 years ago 6.7 magnitude, 18 km depth**  
Gisborne, Gisborne, New Zealand
- 24 days ago 6.7 magnitude, 22 km depth**  
Gisborne, Gisborne, New Zealand
- 7 years ago 6.6 magnitude, 20 km depth**  
Gisborne, Gisborne, New Zealand
- 20 years ago 6.5 magnitude, 28 km depth**  
Gisborne, Gisborne, New Zealand
- 20 years ago 6.5 magnitude, 33 km depth**  
Whakatane, Auckland, New Zealand





# Matching observations

- Intern. Ocean Discovery Program
- Japan Trench Fast Drilling Project



*Nature* news, Dec 2013:

“The localization of deformation onto a limited thickness (~5 meters) of pelagic clay is the defining characteristic of the shallow earthquake fault” (Chester et al / Science 2013). **“That’s just weird”** says Emily Brodsky (UC Santa Cruz)

**Table 3.** Material Parameters Inverted From the ETS Sequences, After Fitting the GPS Data<sup>a</sup>

Parameter	Units	ALBH	GISB 1	GISB 2
$\dot{\gamma}_0$	$s^{-1}$	200	230	230
$d$	m	6.4	6.4	6.4
$\bar{\sigma}'_n$	MPa	49	<b>49</b>	<b>74</b>
$\beta_T \bar{\tau}_n$	MPa	0.3	<b>0.26</b>	<b>0.20</b>
$k_F$	$s^{-1}$	$10^8$	$10^8$	$10^8$
$Q_F$	kJ/mol	114	114	114
$k_R$	$s^{-1}$	$10^{-2}$	$10^{-2}$	$10^{-2}$
$\Delta H$	kJ/mol	80	80	80
$Q_R$	kJ/mol	34	34	34

AGU PUBLICATIONS

Journal of Geophysical Research: Solid Earth

RESEARCH ARTICLE

10.1002/2014JB011004

This is a companion paper to Alevizos et al. (2014), doi:10.1002/2013JB010070, and Yuen et al. (2014)

Thermo-poro-mechanics of chemically active creeping faults: 3. The role of serpentinite in episodic tremor and slip sequences, and transition to chaos

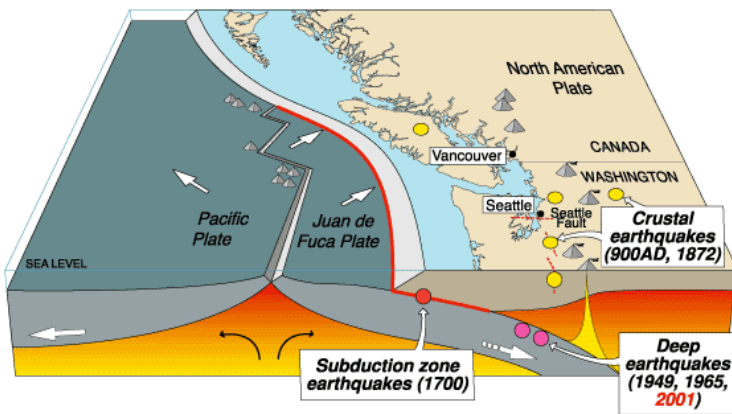
T. Poulet<sup>1</sup>, E. Veveakis<sup>1,2</sup>, K. Regenauer-Lieb<sup>1,3</sup>, and D. A. Yuen<sup>4,5</sup>



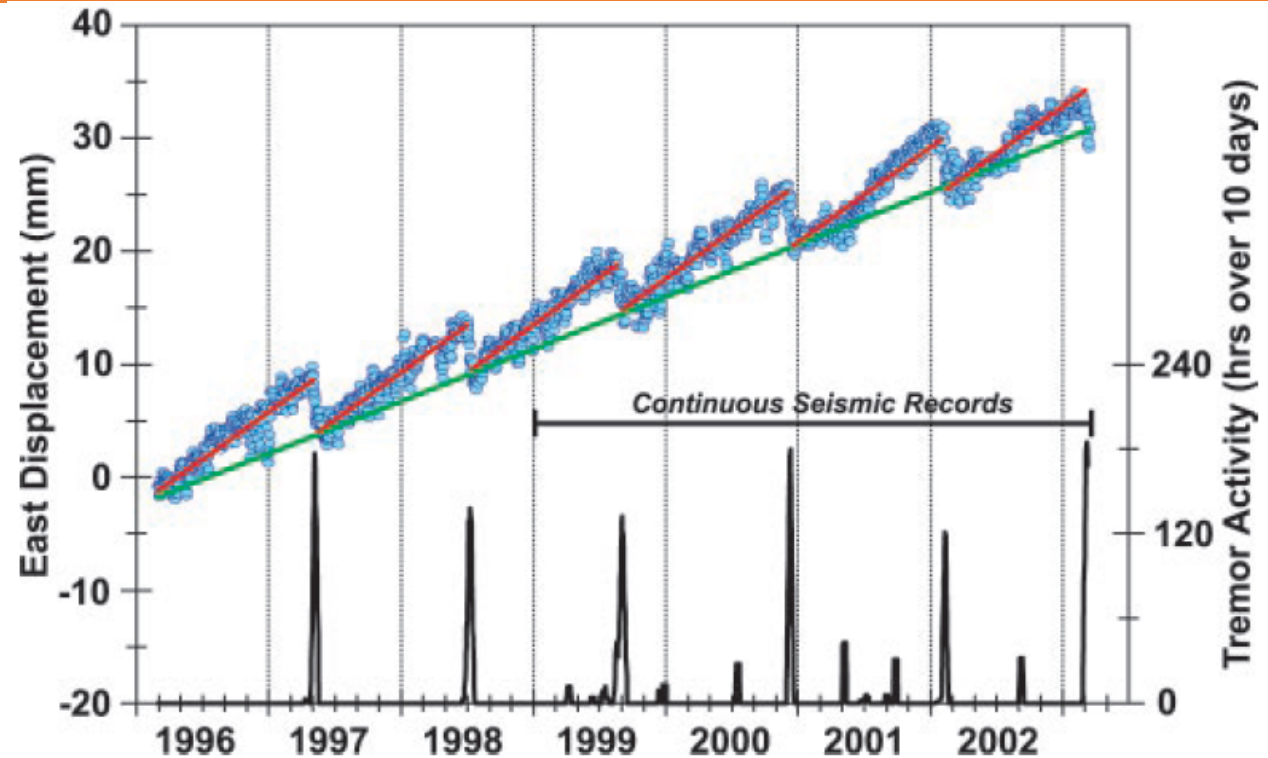
# Episodic tremor and Slip (ETS)

## Could we do it data-driven?

Cascadia earthquake sources

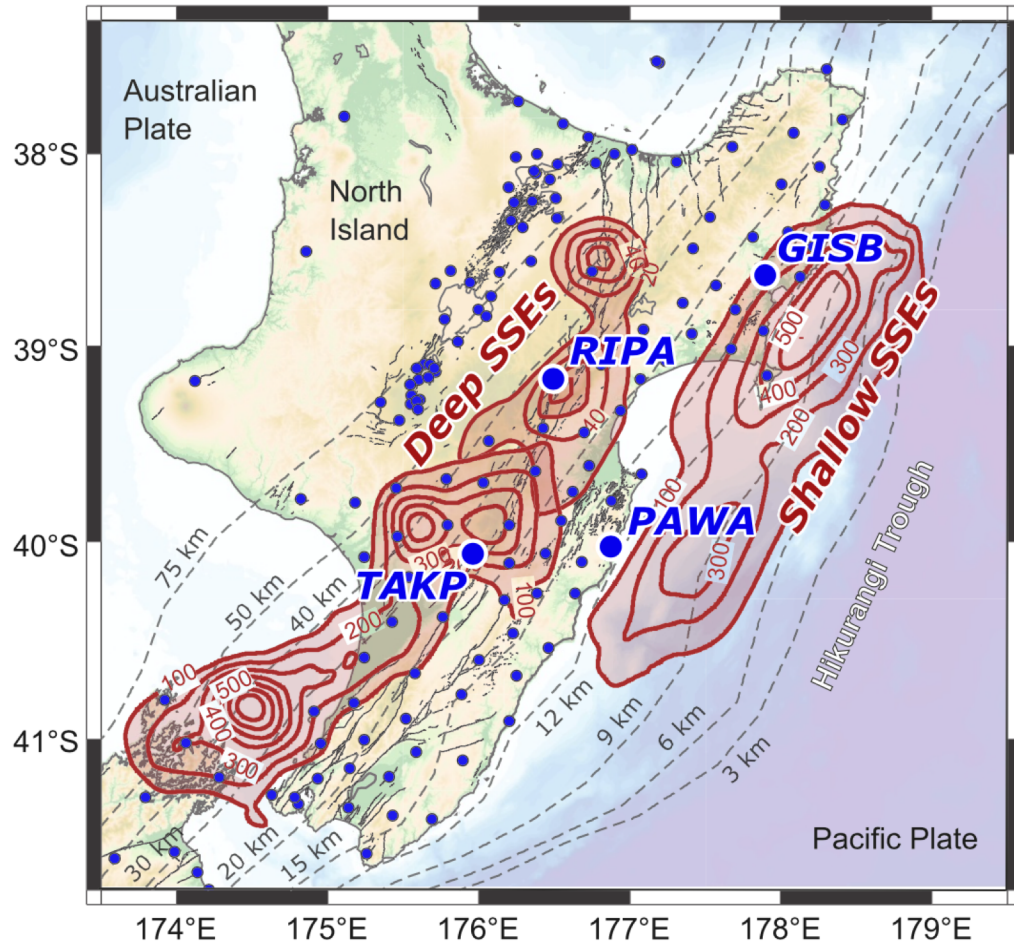


Source	Affected area	Max. Size	Recurrence
● Subduction Zone	W.WA, OR, CA	M 9	500-600 yr
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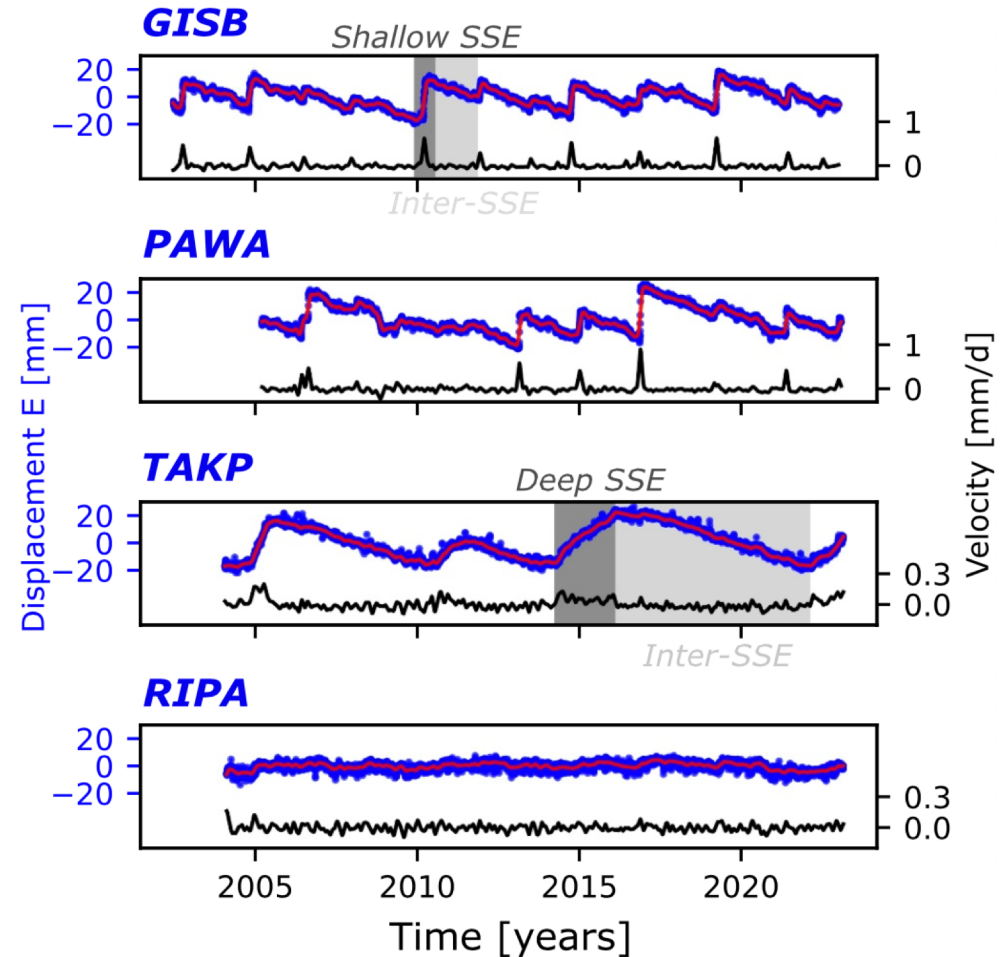


# Graph CNN –based analysis of ETS series in New Zealand

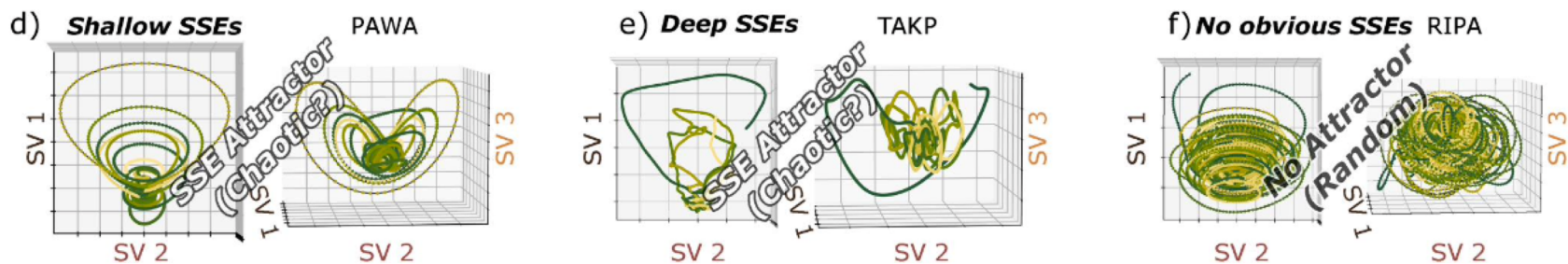
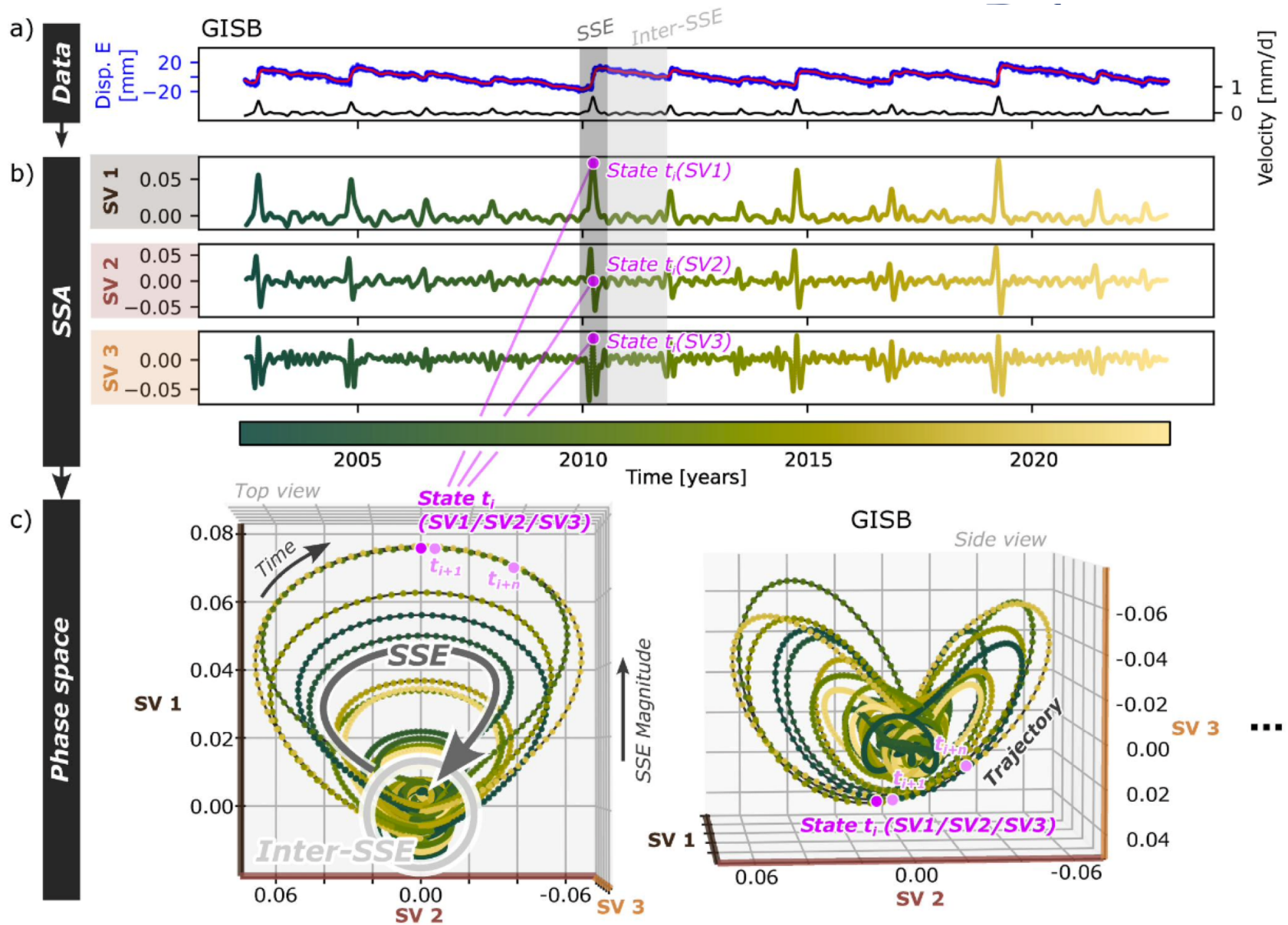
a)



b)

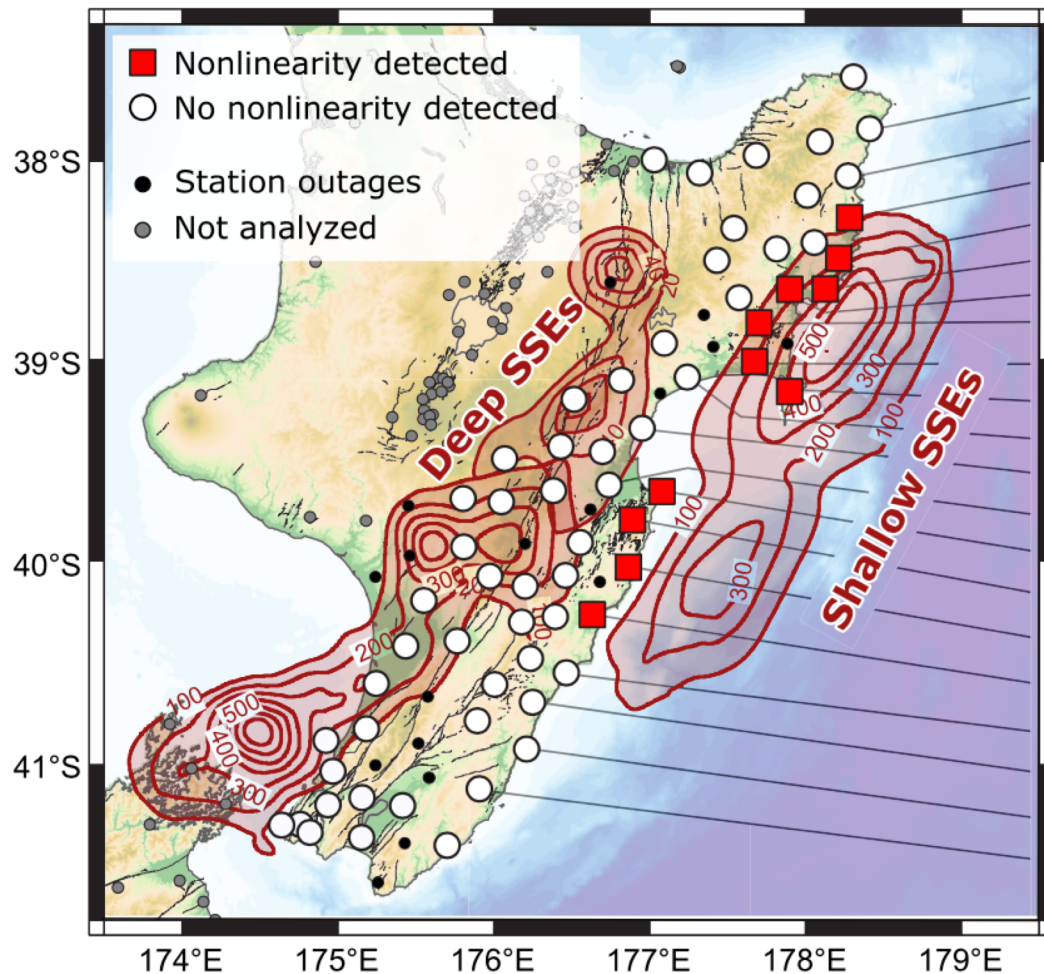




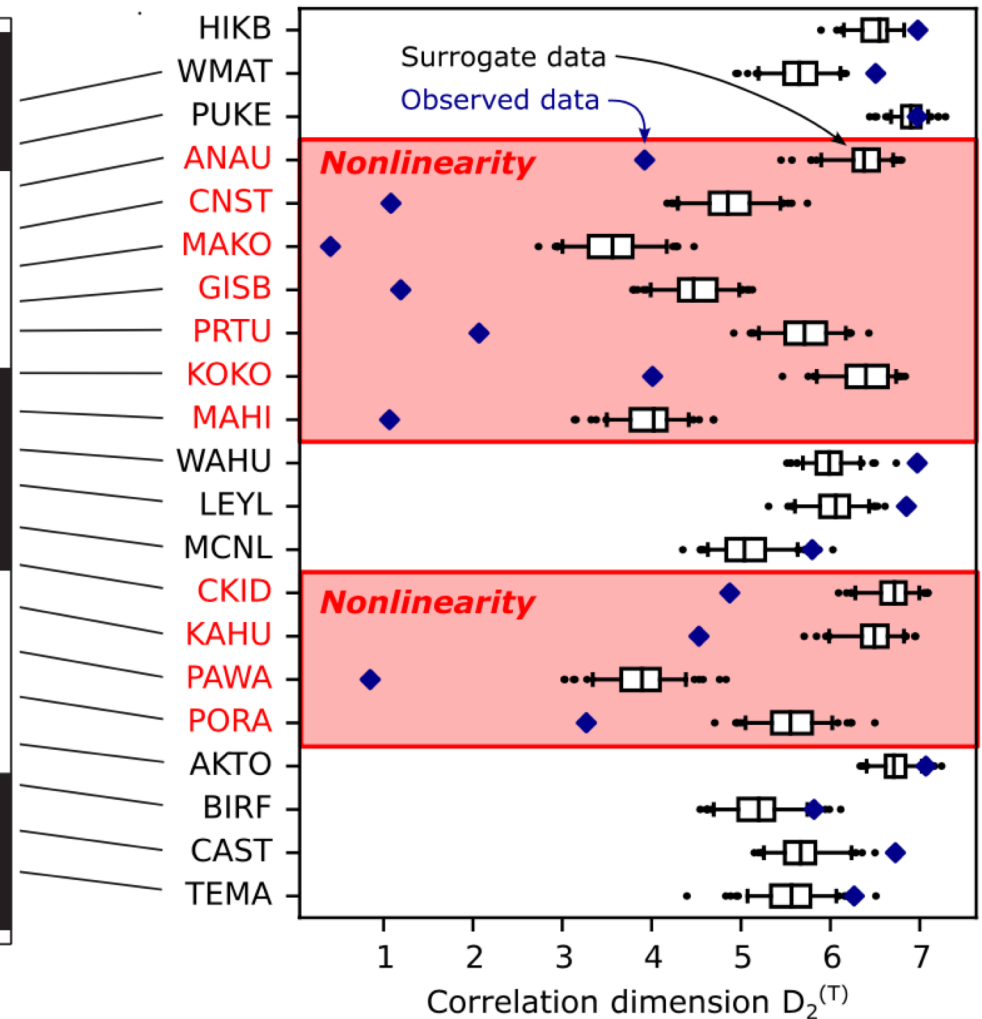


# Graph CNN –based analysis of ETS series in New Zealand

a)

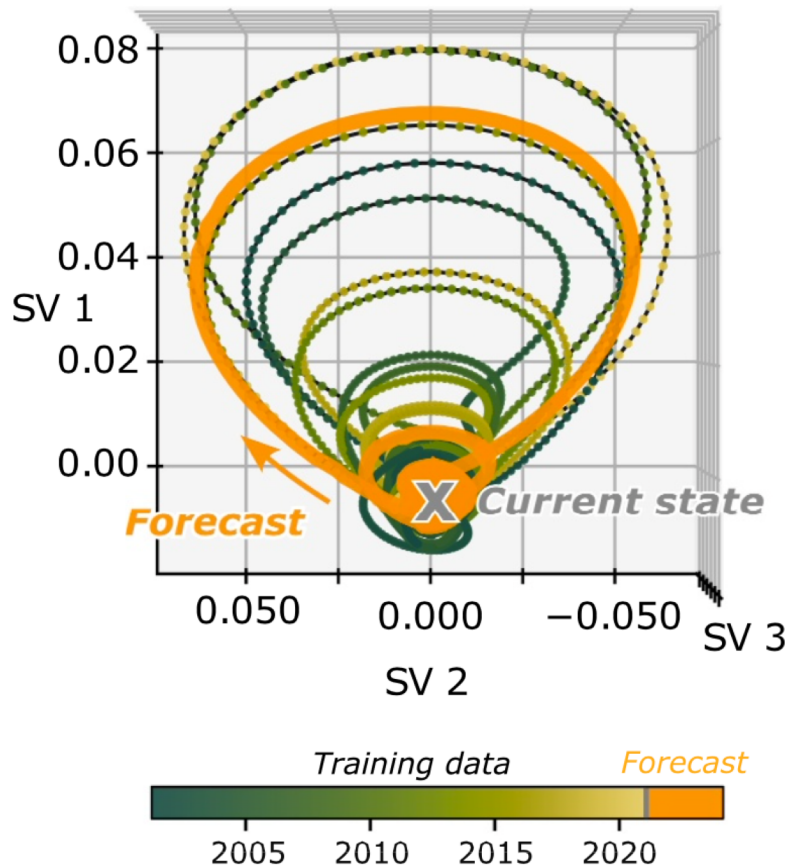


b)

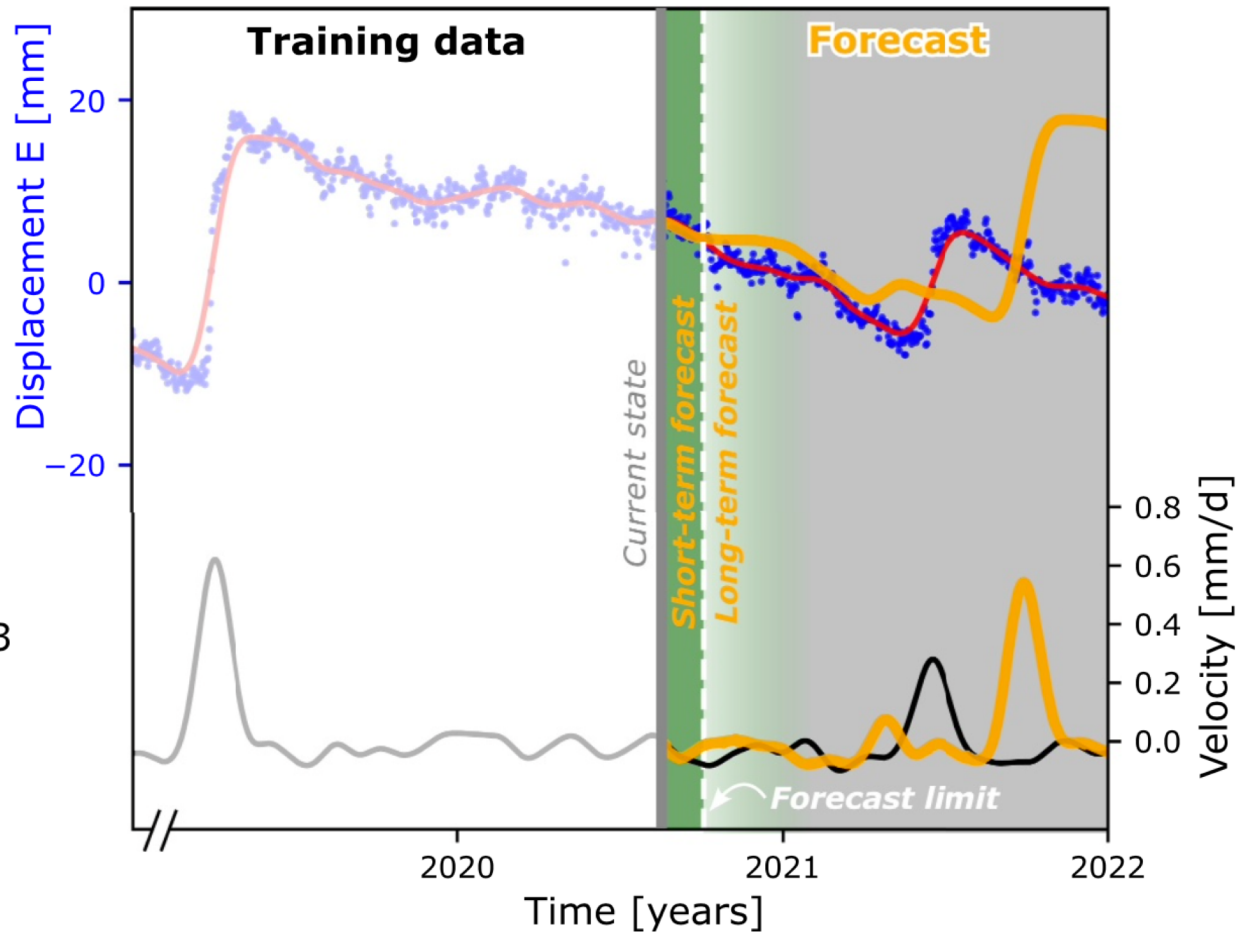


# Graph CNN –based analysis of ETS series in New Zealand

a) **Phase space**



b) **GNSS position time series**



The question still is:

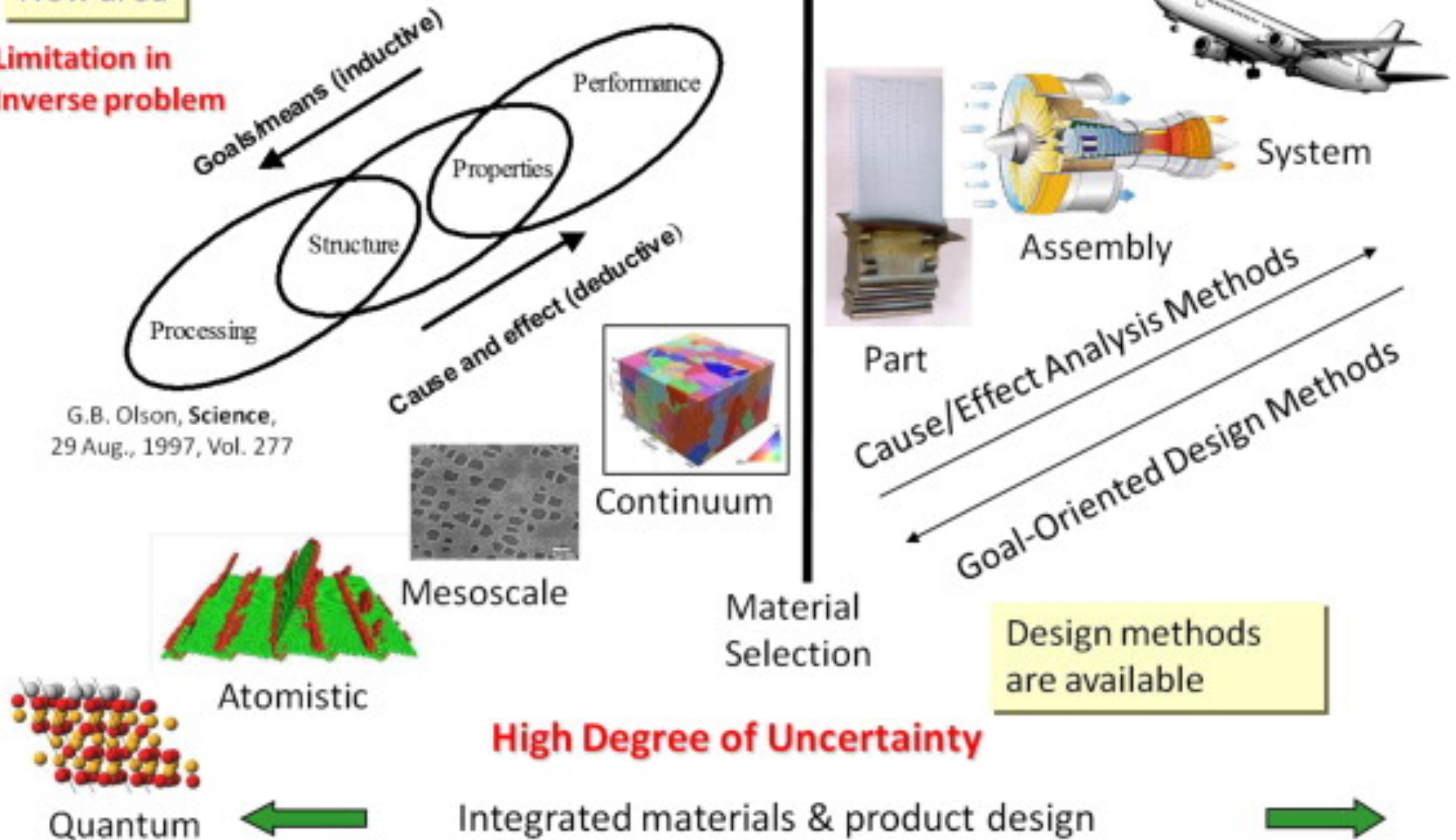
How can we use these concepts for fault reactivation?



# Integrated Computational Materials Engineering (ICME)

New area

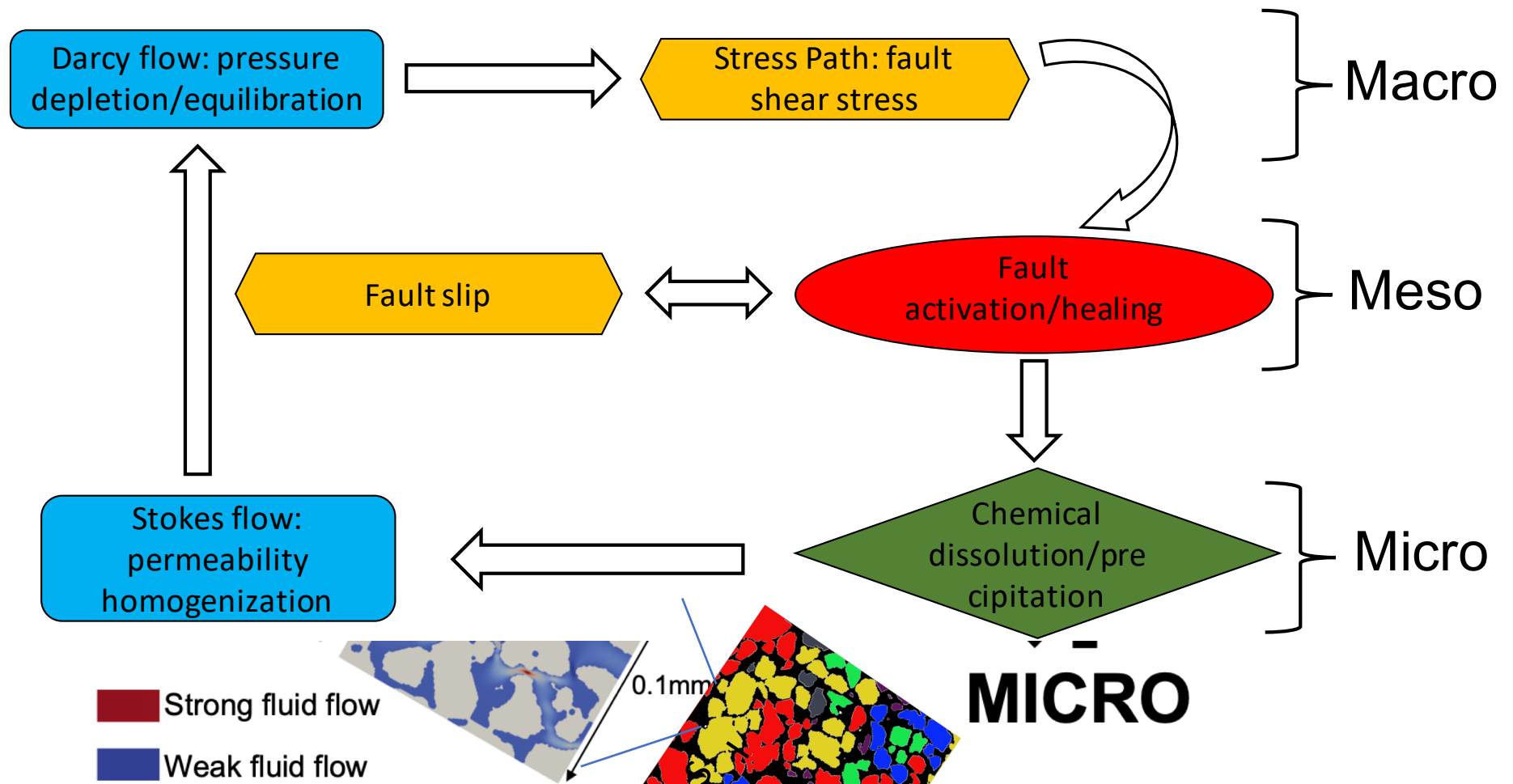
Limitation in  
Inverse problem



# 3-scale ICME for Geomaterials under environmental loading

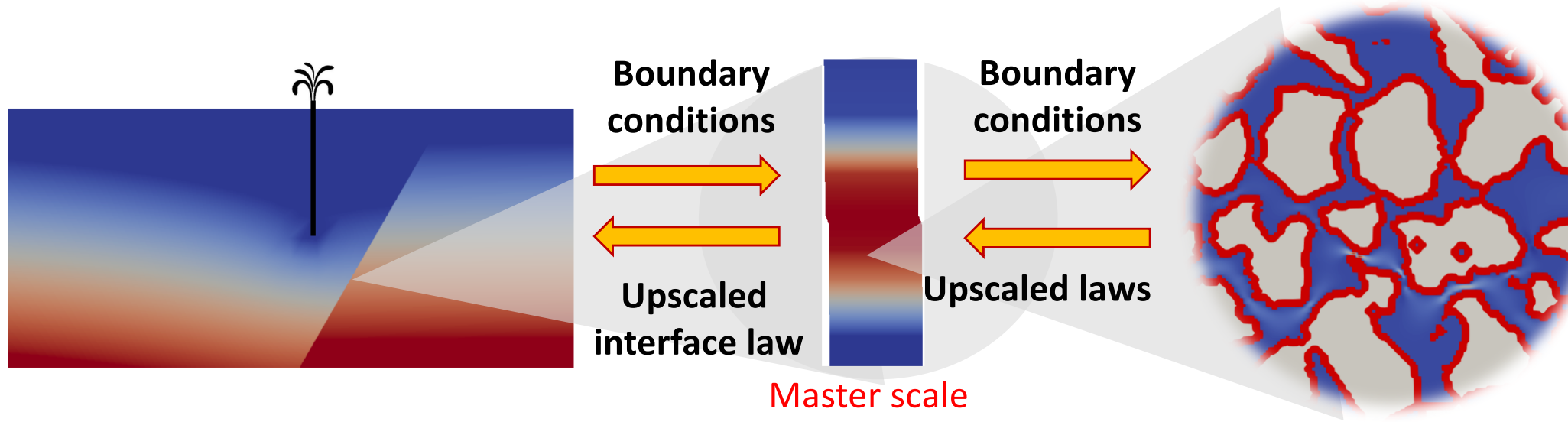


Thermo-hydro-mechanical-chemical (THMC) couplings across the scales

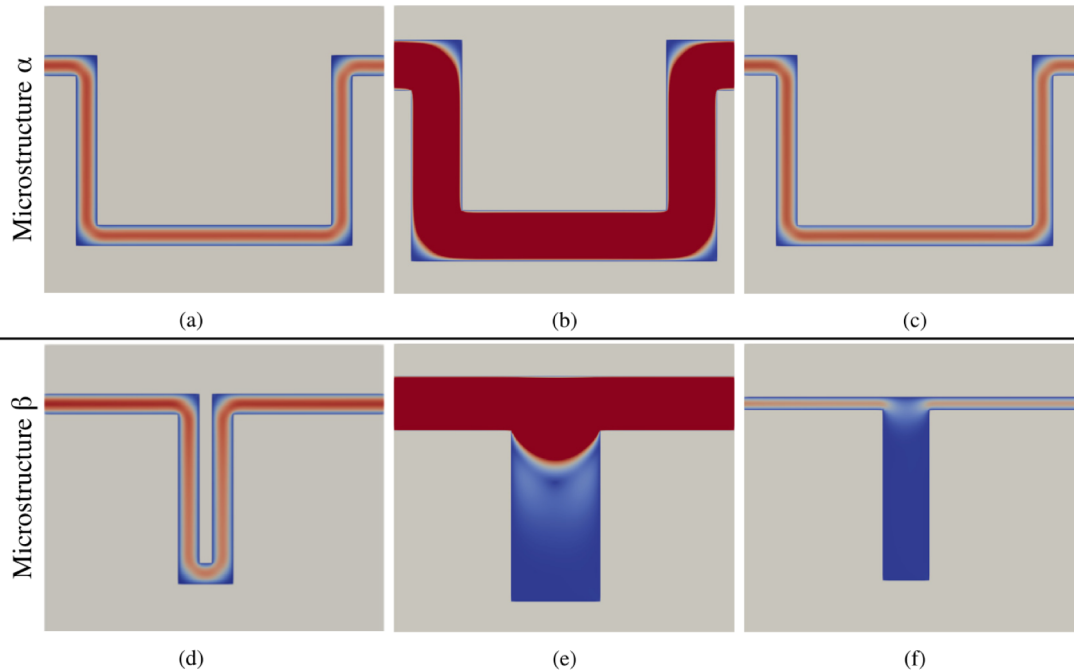


What if the physics among the scales are not separated?

# Three-scale nested schemes: On-the-fly homogenization



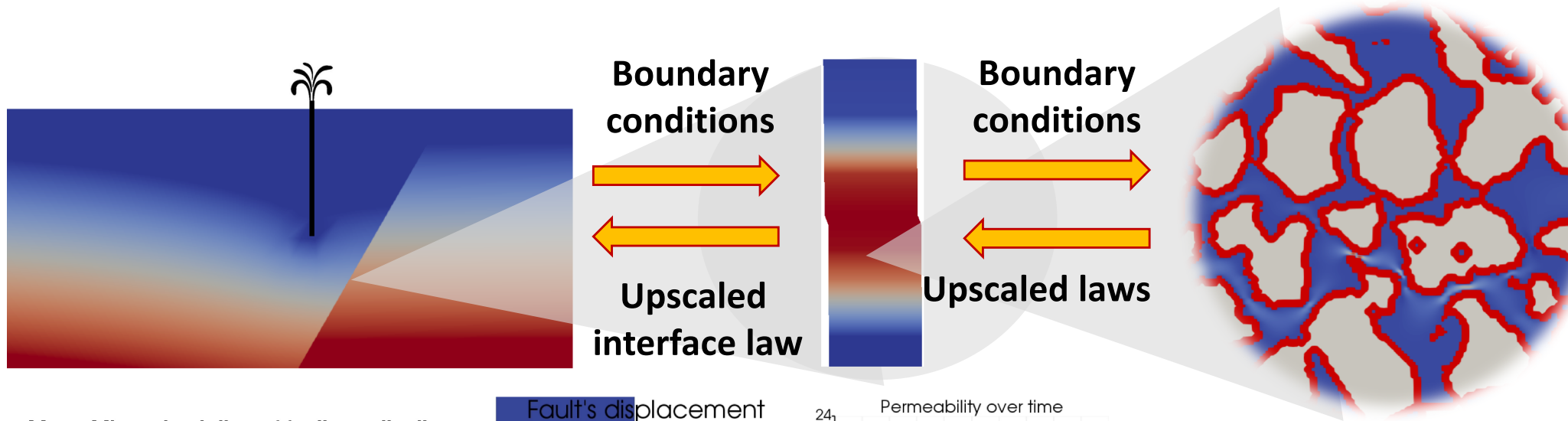
*M. Lesueur, T. Poulet and M. Veveakis / Computer Methods in Applied Mechanics and Engineering 365 (2020) 112988*



Structure A

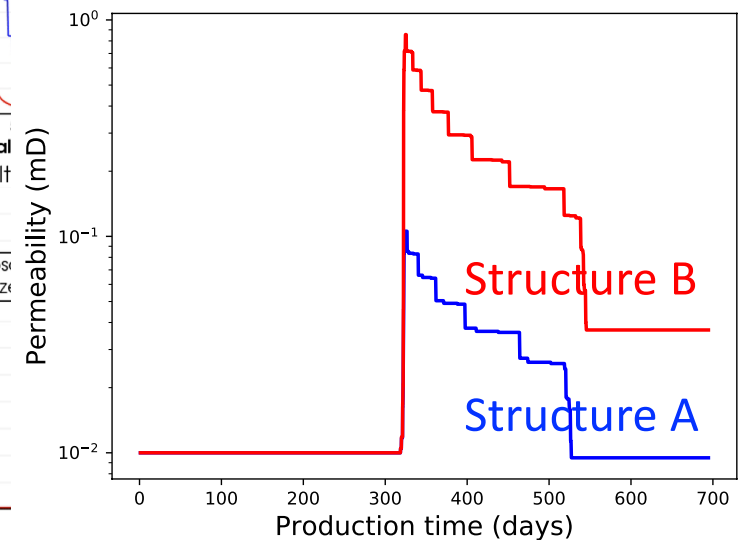
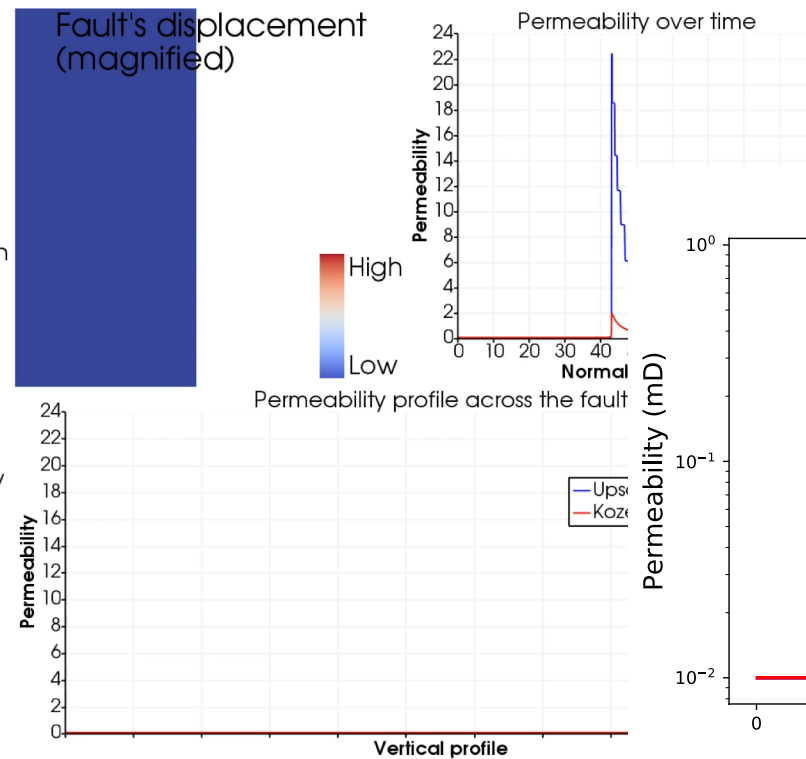
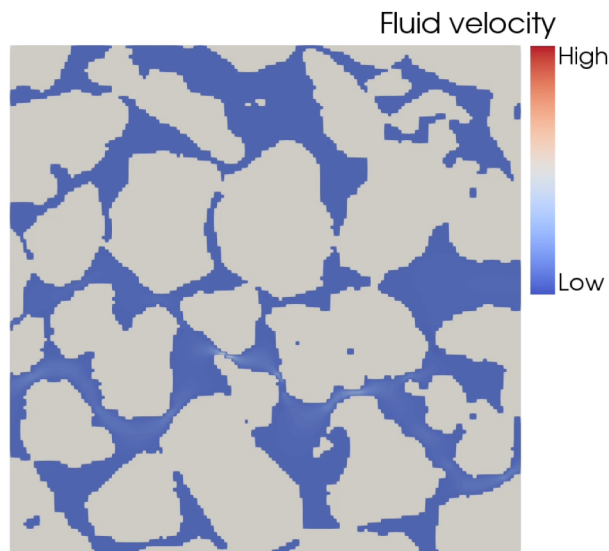
Structure B

# Three-scale nested schemes: On-the-fly homogenization

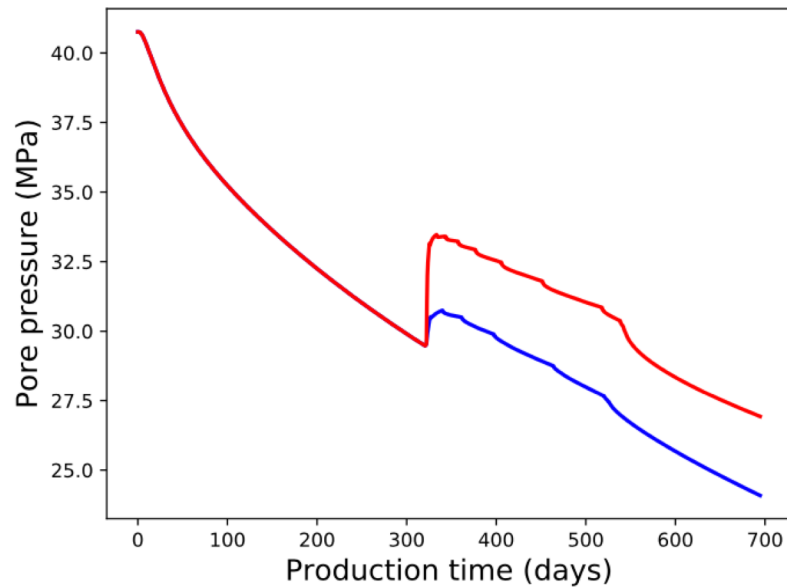


Meso-Micro simulation of fault reactivation  
- permeability upscaling from microCT-scans

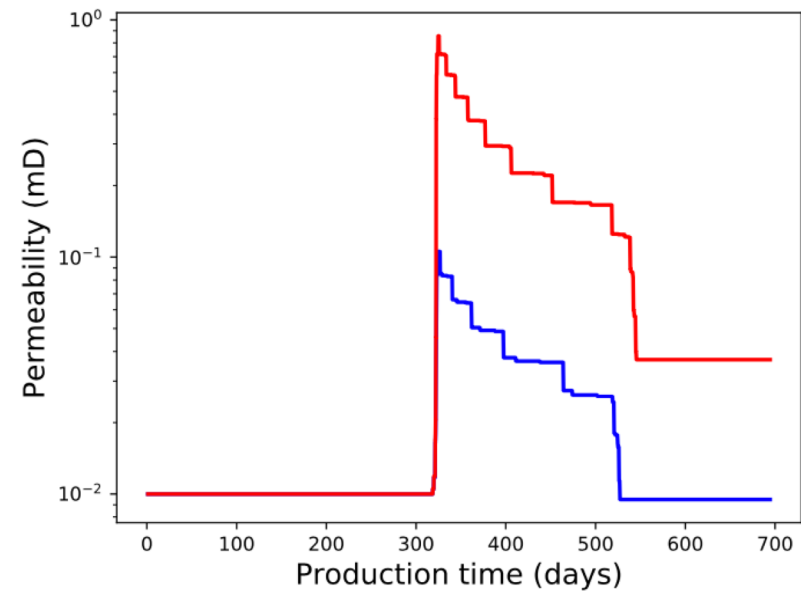
Time: 0.000000



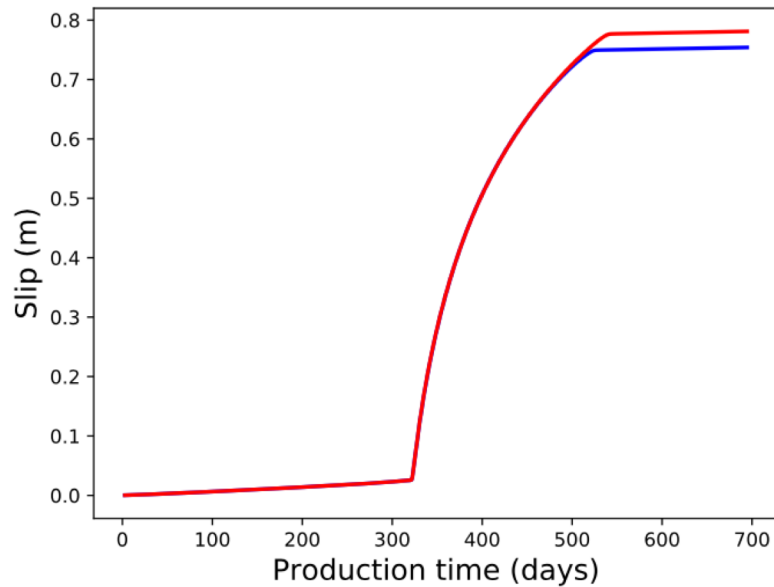
T



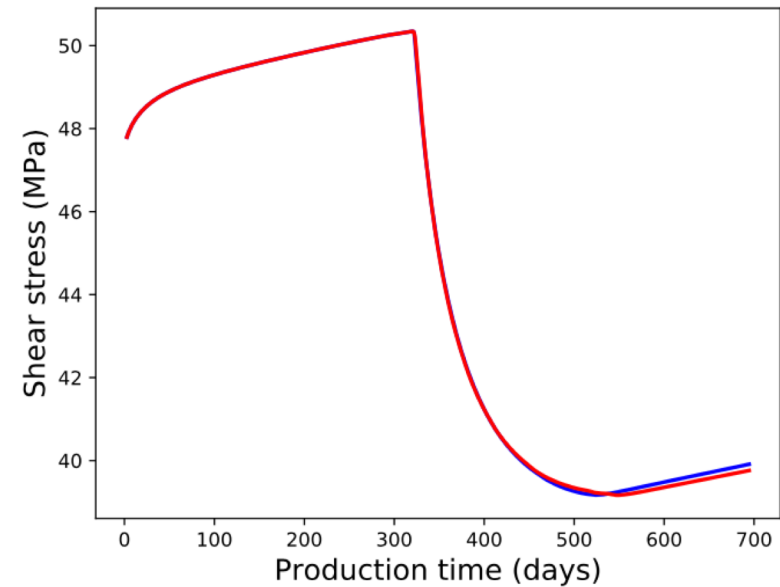
(a) Evolution of pore pressure on the left side of the fault.



(b) Evolution of the fault permeability.



(c) Evolution of the fault slippage.



(d) Evolution of the fault shearing stress (Von Mises stress).

Thank you!